

Zvc I M'vm

fvgKv

mvaviYZ Zvc c0qv#M c`v_©c0hwi Z nq Ges Zvc Acmvi#Y c`v_©m1/4PZ nq| wKšzZvc c0qv#M c`v_#P wZb Ae`vi c0hviY GKB iKg nq bv| GKB Zvcgv1v ewx#Z KwB I Zij c`v_#P Z#bvq M'vmxq c`v_#P c0hviY A#bK tewk nq| KwB c`v_#P wbw 0 AvKvi I AvqZb Av#Q| ZvB Zvc c0qv#M Kitj KwB c`v_#P `N©c0hviY, t#T1 c0hviY I AvqZb c0hviY N#U| Zij I M'vmxq c`v_#P wbw 0 AvKvi tbB| ZvB Zij I M'v#mi i'agv1 AvqZb c0hviY N#U| M'v#mi c0hviY cv#1i c0hvi#Yi Z#bvq A#bK tewk etj M'v#mi t#T1 cv#1i c0hviY Dtc#T1v Kiv hvq| wKšzZij c`v_#P t#T1 cv#1i c0hviY wetePbv KitZ nq|

Avevi KwB I Zij c`v_#P c0hvi#Yi t#T1 P#ci D#x#thwM' fvgKv tbB| wKšzM'v#mi t#T1 P#ci ZviZtg' Zvcgv1v I AvqZ#bi cwieZ0 N#U| M'v#mi wbw 0 AvKvi tbB| wbw 0 AvqZbI tbB| hLb th cv#1i ivLv nq ZLb tm cv#1i AvKvi I AvqZb jvf K#i| wKšzewfbæcv#1 GKB cwigrY M'v#mi Pvc wewfbæenq| ZvB M'v#mi AvPiY Av#jvPbv KitZ n#j Zvcgv1v, Pvc I AvqZb G wZb1U iwkB D#x# KitZ nq|

G BD1b#U Avgiv M'v#mi m#1, Av`k#M'vm mgxKiY, M'v#mi MwZZE#; Mo#eM, MoeM#eM, gj- Mo eM#eM, AvYweK teM e#Ub, MwZZE#; Abyv#ti M'v#mi Pvc, Mog# c_, er#úPvc I Av`Zwgv1Z m#ú#K#Av#jvPbv Kit#v|

cW - 1

M'v̄mi m̄, etqj I Pvj̄mi m̄i mgvbZ ijc: Av`kM'vm mgxKiY|

Df̄ik`

G cW tk̄i Avcb -

- 1 M'v̄mi m̄, t̄jv eȲv̄ KīZ cvīteb,
- 1 Av`kM'vm mgxKiY c̄Zcv`b KīZ cvīteb,
- 1 mveRbxb M'vm a`et̄Ki gvb w̄Ȳ̄ KīZ cvīteb|

11.1.1 M'v̄mi m̄ (Gas Laws)

M'v̄mi Ae`v c̄Kvk Kivi Rb` AvqZb, Zvcgv̄v̄ I Pvc GB w̄ZbW̄ i v̄ki gvb Df̄k̄x̄ KīZ nq| GB w̄ZbW̄ i v̄ki th t̄Kvb GKw̄ w̄i v̄Kt̄j Ab` w̄ i v̄ki ḡta` m̄úK̄bāv̄i Z nq| m̄úK̄w̄j w̄v̄̄̄ m̄ t̄ḡtb P̄t̄j | GB m̄, w̄j t̄K M'v̄mi m̄ et̄j | w̄t̄am̄, w̄j eȲv̄ Kiv n̄t̄jv|

(K) Zvcgv̄v̄ w̄i v̄Kt̄j, w̄v̄̄̄ f̄ti M'v̄mi AvqZb I P̄t̄ci m̄úK̄et̄q̄t̄j i m̄ b̄v̄tḡ cwi w̄PZ|

(L) Pvc w̄i v̄Kt̄j w̄v̄̄̄ f̄ti M'v̄mi AvqZb I Zvcgv̄v̄i ḡta` m̄úK̄Pvj̄mi m̄ b̄v̄tḡ cwi w̄PZ|

(M) AvqZb w̄i v̄Kt̄j w̄v̄̄̄ f̄ti M'v̄mi Pvc I Zvcgv̄v̄i ḡta` m̄úK̄P̄t̄ci m̄ b̄v̄tḡ cwi w̄PZ| G m̄Ūt̄K̄ t̄īt̄vi m̄I ejv nq|

(K) et̄q̄t̄j i m̄ (Boyle's law) t Bst̄iR w̄Av̄bx̄ i ev̄Ūet̄q̄j 1662 w̄L̄v̄t̄ã G m̄Ū Av̄w̄ēvi K̄tib| Zui b̄vgv̄b̄v̄t̄i G m̄t̄K̄ et̄q̄t̄j i m̄ ejv nq|

m̄ t w̄i Zvcgv̄v̄q̄ w̄v̄̄̄̄ f̄ti M'v̄mi AvqZb c̄h̄ȳ P̄t̄ci e`v̄b̄ḡv̄w̄ZK|

h̄w̄ w̄i Zvcgv̄v̄q̄ w̄v̄̄̄̄ f̄ti M'v̄mi Pvc I AvqZb h_v̄m̄t̄ḡ p I v̄ nq, Zv̄n̄t̄j -

$$v \propto \frac{1}{p} \text{----- (1)}$$

$$ev, PV = k (a^eK) \text{----- (2)}$$

GLv̄t̄b̄ k GKw̄ mgvb̄ḡv̄w̄ZK a^eK hvi gvb M'v̄mi fi I Zvcgv̄v̄i Dci w̄bf̄P̄ K̄tib| h̄w̄ P₁, P₂ I

P₃ P̄t̄c̄ w̄v̄̄̄̄ f̄ti M'v̄mi AvqZb h_v̄m̄t̄ḡ v₁, v₂ I v₃ nq Zv̄n̄t̄j -

$$P_1 v_1 = P_2 v_2 = P_3 v_3 = a^eK (k) \text{----- (3)}$$

(L) Pvj̄mi Gi m̄ (Charles' law) t di v̄mx̄ w̄Av̄bx̄ Pvj̄mi 1787 w̄L̄v̄t̄ã G m̄Ū Av̄w̄ēvi K̄tib| Zui b̄vgv̄b̄v̄t̄i G m̄t̄K̄ Pvj̄mi Gi m̄ ejv nq|

m̄ t w̄i P̄t̄c̄ t̄Kvb̄ w̄v̄̄̄̄ f̄ti M'v̄mi AvqZb c̄Z̄ w̄w̄m̄ t̄m̄j w̄mq̄m Zvcgv̄v̄v̄ ēw̄x̄ ev̄ n̄t̄mi Rb` 0° c

Zvcgv̄v̄v̄ AvqZt̄bi $\frac{1}{273}$ Ask ēw̄x̄ ev̄ n̄m nq|

ḡtb̄ Kw̄i, w̄i P̄t̄c̄ w̄v̄̄̄̄ f̄ti t̄Kvb̄ M'v̄mi AvqZb 0°c Zvcgv̄v̄v̄q̄ v₀, θ₁°c Zvcgv̄v̄v̄q̄ v₁, θ₂°c Zvcgv̄v̄v̄q̄ v₂

∴ P_{vj} m̄ Gi m̄vbyv̄ti,

$$V_1 = V_0 \left(1 + \frac{\theta_1}{273} \right)$$

$$\text{ev, } V_1 = V_0 \left(\frac{273 + \theta_1}{273} \right)$$

$$\text{ev, } V_1 = V_0 \frac{T_1}{273} \text{----- (4)}$$

GLv̄tb T₁ = cig t`đj Zvcgv̄v̄ = (θ₁⁰ c + 273)

Abj̄cfv̄te,

Pvc Acw̄ew̄Z̄ t̄t̄L D³ M̄v̄t̄mi Zvcgv̄v̄ θ₂⁰ c nt̄j Gi AvqZb

$$V_2 = V_0 \left(1 + \frac{1}{273} \theta_2 \right)$$

$$= V_0 \left(\frac{273 + \theta_2}{273} \right) = V_0 \frac{T_2}{273} \text{----- (5)}$$

mgxKi Y (4) tK (5) Øviv f̄vM K̄ti cvl qv hvq,

$$\frac{V_1}{V_2} = \frac{T_1}{T_2}$$

$$\text{ev, } \frac{V_1}{T_1} = \frac{V_2}{T_2}$$

$$\therefore \frac{V}{T} = a^*eK/$$

$$\therefore V \propto T$$

A_ P_{vj} m̄ Gi m̄f̄t̄K w̄b̄w̄j w̄LZfv̄te w̄eeZ̄ Kiv hvq,

w̄i P̄tc w̄b̄w̄ Ø f̄t̄ii M̄v̄t̄mi AvqZb Gi cig Zvcgv̄v̄i mgv̄b̄w̄ZK|

t̄it̄b̄vi m̄f̄ t̄ AvqZb w̄i _vK̄t̄j c̄ØZ̄ w̄w̄w̄ t̄mj w̄mqv̄m Zvcgv̄v̄ ev̄x̄ ev̄ n̄v̄t̄mi Rb̄ t̄Kvb̄ w̄b̄w̄ Ø c̄w̄i gv̄Y

M̄v̄t̄mi Pvc 0⁰ c Zvcgv̄v̄i P̄t̄ci $\frac{1}{273}$ Ask h_v̄m̄tg ev̄x̄ ev̄ n̄v̄m̄ cvq|

ḡt̄b̄ K̄wi, w̄i AvqZb 0⁰ c Zvcgv̄v̄v̄q t̄Kvb̄ w̄b̄w̄ Ø c̄w̄i gv̄Y M̄v̄t̄mi Pvc = P₀ Ges θ₁⁰ c Zvcgv̄v̄v̄q H

M̄v̄t̄mi Pvc = P₁

Zv̄nt̄j P̄t̄ci m̄v̄b̄ȳv̄t̄i,

$$P_1 = P_0 \left(1 + \frac{\theta_1}{273} \right)$$

$$= P_0 \left(\frac{273 + \theta_1}{273} \right)$$

$$\text{ev, } P_1 = P_0 \frac{T_1}{273} \quad [\because T_1 = \theta_1 + 273]$$

$$\text{ev, } \frac{P_1}{T_1} = \frac{P_0}{273} \text{ ----- (6)}$$

Abjcfite AvqZb AcwiewZ² ti tL D³ M'v^{mi} Zvcgv¹ v₂⁰ c ntj Gi Pvc

$$P_2 = P_0 \left(1 + \frac{1}{273} \theta_2 \right) = P_0 \left(\frac{273 + \theta_2}{273} \right)$$

$$\text{ev, } P_2 = P_0 \frac{T_2}{273} \quad [\because T_2 = 273 + \theta_2]$$

$$\text{ev, } \frac{P_2}{T_2} = \frac{P_0}{273} \text{ ----- (7)}$$

mgxKi Y (6) I (7) t₋tK tj Lv hvq,

$$\frac{P_1}{T_1} = \frac{P_2}{T_2}$$

$$\text{ev, } \frac{P}{T} = a^e K$$

∴ P ∝ T

AZGe, ti t_{bv}i P_vci m¹t_K w²ij wLZfvte weeZ Kiv hvq:

AvqZb w¹i v_Ktj tK_b w²i t_fi i M'v^{mi} Pvc Gi cig Zvcgv¹ vi mgvbwZK |

11.1.2 etaj I Pvj t_{mi} m¹t_i mgvbZ ifc t Av¹ k²M³vm mgxKiY

g_tb Kwi, tK_b w²i t_fi i M'v^{mi} AvqZb, Pvc I cig Zvcgv¹ v_hv_μt_g v, P I T |

etaj Gi m¹v_{by}v_ti, v ∝ $\frac{1}{P}$, (hLb T w¹i v_tK)

Pvj t_{mi} Gi m¹v_{by}v_ti, v ∝ T, (hLb P w¹i v_tK)

AZGe,

$$v \propto \frac{T}{P}, \text{ hLb me KquU i vnk cwi ewZ² nq |}$$

$$\text{ev, } v = K \frac{T}{P}$$

$$\text{ev, } \frac{PV}{T} = K \text{ ----- (8)}$$

$$\text{ev, } PV = KT \text{ ----- (9)}$$

GLv_tb K GK_U a^e msL¹ v hvi gvb M'v^{mi} fi I GK_tKi Dci w²f_{pk}xj |

M'v^{mi} fi GK M⁰g AY_{ye}v 1 mole ntj G a^eeK_tK R A¹ji v_{iv} c_{kv}k Kiv nq | G_tK M³vm a^eeK (gas constant) e_jv nq |

tmt¶¶t̂ mgxKiY(8)-tK tj Lv hvq,

$$\frac{PV}{T} = R$$

ev, $PV = RT$ ----- (10)

GLv#b V=1 mole M'v#mi AvqZb | ubw`@ Pvc I Zvcgv#vq th tKvb M'v#mi 1 mole GKB AvqZb `Lj Kti | cir¶¶v Kti t`Lv tM#Q th, `vfweK Zvcgv#v I P#tc 1 mole M'vm $22.4 \times 10^{-3} \text{ m}^3$ AvqZb `Lj Kti |

1 mole M'v#mi t¶¶t̂ $\frac{PV}{T}$ Gi gvb mKj M'v#mi t¶¶t̂ mgvb nq | ZvB, $R = \frac{PV}{T}$ tK mveRbxb ev mekRbxb M'vm a`eK (Universal gas constant) ej v nq |

hw` m f#ii tKvb M'v#mi AvqZb v Ges H M'v#mi AvYweK fi M nq, Zvntj 1 mole M'v#mi AvqZb n#e $\frac{M}{m} V$

AZGe tmt¶¶t̂

$$P \cdot \frac{M}{m} V = RT$$

ev, $PV = \frac{m}{M} RT$

ev, $PV = nRT$ ----- (11)

$$[GLv#b n = \text{tgij msL} \ddot{v} = \frac{M\#mi \text{ fi } (m)}{AvYweK \text{ fi } (M)}$$

G mgxKiY etaj I Pvj #mi m#t̂ i mgvbZ ifc Ges GtK Av`kM'vm mgxKiY ej v nq |

11.1.3 t `vfweK Zvcgv#v I P#tc M'vm a`eK, R Gi gvb vbY@

`vfweK Pvc, $P = 101325 \text{ Nm}^{-2}$

`vfweK Zvcgv#v, $T = 273.15 \text{ K}$

`vfweK Zvcgv#v I P#tc 1 mole M'v#mi AvqZb = $22.4 \times 10^{-3} \text{ m}^3$

\therefore `vfweK Zvcgv#v I P#tc, $V = 22.4 \times 10^{-3} \text{ m}^3 \text{ mole}^{-1}$

1 mole M'v#mi Rb` Av`kM'vm mgxKiY, $PV = RT$

$$\text{ev, } R = \frac{PV}{T}$$

$$\therefore R = \frac{101325 \times 22.4 \times 10^{-3}}{273.15}$$

$$= 8.314 \text{ J mol}^{-1} \text{ k}^{-1}$$

D`niY

1/ w`i Zvcgı̂ıvq 10⁵ N m⁻² Pıtc ıbw`ı f`i i ıKQyM`ıvımi AvqZb 0.04 m³

(K) 2 × 10⁵ N m⁻² Pıtc M`ıvımi AvqZb KZ nte (L) KZ Pıtc M`ıvmıJi AvqZb 0.08 m³ nte ?

(K) aiv hvK, ıbw`ıYı AvqZb V₂

eıqj Gi m`ıvıbyııti,

$$PV = a^eK,$$

$$A_{ıf} P_1 V_1 = P_2 V_2 \text{ ----- (1)}$$

$$GLıtb, P_1 = cüıgK Pıv = 10^5 \text{ N m}^{-2}$$

$$V_1 = cüıgK AvqZb = 0.04 \text{ m}^3$$

$$P_2 = PıvııPıv = 2 \times 10^5 \text{ N m}^{-2}$$

$$V_2 = PıvııAvqZb = ?$$

1 bs mgııKi Y t`tk tj Lv hvq,

$$V_2 = \frac{P_1 V_1}{P_2}$$

$$= \frac{10^5 \times .04}{2 \times 10^5} = .02 \text{ m}^3$$

$$= 2 \times 10^{-2} \text{ m}^3$$

(L) aiv hvK, ıbw`ıYı Pıv = P₂

eıqj Gi m`ıvıbyııti, PV = a^eK/

$$A_{ıf} P_1 V_1 = P_2 V_2$$

$$\therefore 10^5 \times 0.04 = P_2 \times 0.08$$

$$\therefore P_2 = \frac{10^5 \times 0.04}{0.08} = \frac{10^5}{2} = \frac{100000}{2} = 50000 = 5 \times 10^4 \text{ N m}^{-2}$$

Dt (K) 2 × 10⁻² m³

(L) 5 × 10⁴ N m⁻²

2/ ıQıv Avıv GKıvı tevZıj ıfıvıK Pıtc 27⁰ c Zvcgı̂ıvq ıKQyM`ıvı AvıQ/ tevZıj i Zvcgı̂ıv 57⁰ c -G DbıZ Kiıj M`ıvımi Pıv KZ nte?

$$Avıvıv Rıvb, \frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$$

GLıtb, V₁ = V₂ = tevZıj i AvqZb

$$P_1 = cüıgK Pıv = 1.01325 \times 10^5 \text{ N m}^{-2}$$

$$T_1 = cüıgK Zvcgı̂ıvı = (27 + 273)K = 300K$$

$$T_2 = P_{\text{gviš-Zvcgv} \hat{T}v} = (57 + 273)K = 330K$$

$$P_2 \text{ mbtY} \hat{q} P_{1c} = ?$$

$$\therefore \frac{P_1}{T_1} = \frac{P_2}{T_2}$$

$$\text{ev, } P_2 = \frac{P_1 T_2}{T_1}$$

$$= \frac{1.01325 \times 10^5 \times 330}{300} \text{ Nm}^{-2}$$

$$= 1.11457 \times 10^5 \text{ N m}^{-2}$$

$$\text{Dt } 1.11457 \times 10^5 \text{ N m}^{-2}$$

3/ w`i Pıtc, $5 \times 10^5 \text{ m}^3$ AvqZb wewkó Ktŋi Zvcgv $\hat{T}v$ 27⁰ c G DbwZ ntjv| Gi AvqZtbi KZ Ask evZım tei ntq hıte?

Avqiv Rıwb,

$$\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$$

$$\text{GLıtb, } P_1 = P_2$$

$$\therefore \frac{V_1}{T_1} = \frac{V_2}{T_2} \text{ ----- (1)}$$

GLıtb,

$$V_1 = c\hat{u}ıgK \text{ AvqZb} = 5 \times 10^5 \text{ m}^3$$

$$T_1 = c\hat{u}ıgK \text{ Zvcgv} \hat{T}v = (27 + 273) = 300$$

$$T_2 = P_{\text{gviš-Zvcgv} \hat{T}v} = (37 + 273) = 310$$

$$V_2 = P_{\text{gviš-AvqZb}} = ?$$

1 bs mgıKi Y t_ıK tj Lv hıvq,

$$V_2 = \frac{V_1 \times T_2}{T_1} = \frac{5 \times 10^5 \times 310}{300} = 5.17 \times 10^5 \text{ m}^3$$

$$\therefore V_2 - V_1 = 5.17 \times 10^5 - 5 \times 10^5 = 0.17 \times 10^5$$

$$\therefore \frac{V_2 - V_1}{V_1} = \frac{0.17 \times 10^5}{5 \times 10^5} = \frac{0.17}{5} = \frac{34}{1000}$$

$$\text{Dt } \frac{34}{1000} \text{ Ask/}$$

mvi mst¶c

etqj Gi m̂ t w̄ i Zvcgv̂vq ubw̄ θ f̂ i M̂v̂mi AvqZb Gi P̂tci ê w̄bgv̂wZK|

$V \propto \frac{1}{P}$

Pvj ¶ Gi m̂ t w̄ i P̂tci ubw̄ θ f̂ i M̂v̂mi AvqZb Gi cig Zvcgv̂vi mgv̂bgv̂wZK|

$V \propto T$

tît̂vi P̂tci m̂ t w̄ i AvqZb ubw̄ θ f̂ i M̂v̂mi P̂c Gi cig Zvcgv̂vi mgv̂bgv̂wZK|

$P \propto T$

Av̄ k̄M̄vm mgv̂Ki Y t PV = RT

mveR̂b̂x̂ M̄vm āeK R Gi gv̂b t 8.314J mol⁻¹ k⁻¹

cv̂V̂Êi gĵv̂q̂b

K. bêP̂K ĉk̂at m̂ŵK D̂Êt̂i ĉv̂k̂ ŵK ŵŷ (v̂) ŵ b̂|

1/ tKvb M̂v̂mi AvqZb v̂, Zvcgv̂v T Ges P̂c P| Gi Zvcgv̂v AcŵeŵẐ v̂Kt̂j $v \propto \frac{1}{P}$
mgv̂Ki Yŵ tKvb m̂ t̂K cv̂l qv̂ hv̂q?

- (K) Pvj ¶mi m̂
- (L) tît̂vi P̂tci m̂
- (M) etq̂t̂j i m̂
- (N) ŵDÛt̂bi m̂

2/ tKvb M̂v̂mi AvqZb v̂, Zvcgv̂v T Ges P̂c P| Gi P̂c AcŵeŵẐ v̂Kt̂j $v \propto T$ mgv̂Ki Yŵ
tKvb m̂ t̂K cv̂l qv̂ hv̂q ?

- (K) etq̂t̂j i m̂
- (L) Pvj ¶mi m̂
- (M) Ŵŵt̂bi m̂
- (N) mgb̂q̂ m̂

3/ tKvb M̂v̂mi AvqZb v̂, Zvcgv̂v T Ges P̂c P| Gi AvqZb w̄ i v̂Kt̂j $P \propto T$ mgv̂Ki Yŵ tKvb
m̂ t̂K cv̂l qv̂ hv̂q?

- (K) Âv̂f̂iM̂v̂ŵi m̂
- (L) tît̂vi P̂tci m̂
- (M) etq̂t̂j i m̂
- (N) Pvj ¶mi m̂

4/ mveR̂b̂x̂ M̄vm āeK, R Gi gv̂b tKvbŵ ?

- (K) 8.234 J mole⁻¹ K⁻¹
- (L) 8.341 J mole⁻¹ K⁻¹
- (M) 8.314 J mole⁻¹ K⁻¹
- (N) 8.413 J mole⁻¹ K⁻¹

L. m̂ŵ¶̂B̂ ĉk̂e

- 1/ etqj Gi m̂ŵU eŶv̂ Ki "b|
- 2/ Pvj ¶ Gi m̂ŵU eŶv̂ Ki "b|
- 3/ tît̂vi P̂tci m̂ŵU eŶv̂ Ki "b|
- 4/ Av̄ k̄M̄vm mgv̂Ki Yŵ ŵj L̂ŷ|
- 5/ mveR̂b̂x̂ M̄vm āeK̂i gv̂b ŵj L̂ŷ|

cW 2

M'v̄mi MvZZĒj; MoṭeM, Mo eMṭeM, gj- Mo eMṭeM, AvYveK teM eUb |

Dṭi k`

G cW ṭkṭi Avcib

- | M'v̄mi MvZZĒj tgšij K`ṭKv̄h`ṭij eYṭv̄ KiṭZ cviṭeb,
- | Mo ṭeM, Mo eMṭeM | gj- Mo eMṭeM e`vL`v̄ KiṭZ cviṭeb,
- | AvYveK teM eUb mṭŪ ej ṭZ cviṭeb |

veiq e`z

11.2.1 M'v̄mi MvZZĒj tgšij K`ṭKv̄h`ṭ

M'v̄mi MvZZĒj; KZ`ṭij tgšij K`ṭKv̄h`ṭ Dci cĀZwōZ | 1857 wL`v̄tā Kw̄mqim cĀg GB`ṭKv̄h`ṭij eYṭv̄ Kṭib | ṭKv̄h`ṭij wṭP Dṭṭṭ Kiv nṭj v |

(1) cĀZ`K M'vm AmsL` ṭṭṭṭ AYj mgbṭq MvZ | ṭKvb GKw̄ M'v̄mi mKj AYyGKB i Kg; wewfbc M'v̄mi AYyewfbc AYyṭj v GK ev GKw̄K cigvYyṭṭq MvZ |

(2) M'vm AYyij nṭ`Q fiw̄`yev fiKYv (Point mass) | Gṭ`i AvqZb M'vm cvṭĪ i AvqZṭbi Zṭṭvq AZ`š-bMb` | AYyij i AvKvi Gṭ`i ga`Kvi `jṭZj Zṭṭvq bMb` |

(3) M'v̄mi AYyij mṭŪYṭv̄w̄`v̄cK`ṭ p ṭMvj K Ges Gṭ`i gṭa` ṭKvb AvKIṭ ev w̄KIṭ ej ṭbB |

(4) AYyij w̄w̄ṭBfṭe QYvOw̄j KiṭQ | Gṭ`i teṭMi gvb w̄w̄fbc

(5) AYyij ci`ṭṭii mṭ` Ges cvṭĪ i ṭ`qvṭj i mṭ` av`v̄ Lvq | msNṭIṭ ga`eZṭ mgṭq AYyij mgṭeṭM mijṭiLvq Pṭj | msNIṭvj LvB mvgvb` | ṭṭ msNṭIṭ ga`eZṭ mgṭq GKw̄ AYyṭh` ṭZj AvZṭg Kṭi ZṭṭK gṭ`c` etj |

(6) ṭṭṭZzAYyij mṭŪYṭv̄w̄`v̄cK`ṭ ṭMvj K Giv w̄bDUṭbi MvZmṭy tgṭb Pṭj | ZvB msNṭIṭ cṭeṭ cṭi Gṭ`i fiṭeM | MvZkw̄³ msiw̄ṭZ`v̄tK | cvṭĪ i ṭ`qvṭj i mṭ` AYyij i av`vi `i`bB Pṭci mṭṭ nq | ṭh me M'vm Dcṭiv³ ṭKv̄h`ṭij tgṭb Pṭj ṭm me M'v̄mṭK Av`k`M'vm ej v nq | w̄KšzmeṭṭṭĪ ev`e M'v̄mi AvPiY Dcṭiv³ w̄bqgvbṭvq nq bv |

11.2.2 t MoṭeM | gj- Mo eMṭeM (Mean Velocity, and Root Mean Square Velocity)

av̄ hv̄K, w̄w̄`ṭ AvqZṭbi GKw̄ Ave^x cvṭĪ GKw̄ M'vm ivLv AvṭQ; M'vm AYj msL`v̄ N Ges ṭKvb gṭṭZ`AYyij i teM h`v̄mṭg C₁, C₂, C_N, Zvṭj M'vm AYyij i

$$\text{MoṭeM (Mean Velocity)} = \bar{C} = \frac{C_1 + C_2 + \dots + C_N}{N}$$

Mo eMṭeM t ṭKvb M'v̄mi me AYj teṭMi eṭMṭ MoṭK Mo eMṭeM (Mean Square Velocity) ej v nq |

$$\text{AZGe, Mo eMṭeM} = \bar{c}^2 = \frac{C_1^2 + C_2^2 + \dots + C_N^2}{N}$$

gj- Mo eMṭeM (Root Mean Square Velocity) ev mṭṭṭ R.M.S. teM t Mo eMṭeM i eMṭj-ṭK gj- Mo eMṭeM ev R.M.S. teM etj |

GtK hw` C Øviv cKvk Kiv nq Zvntj

$$g\text{-} Mo eM\text{e}M, c = \sqrt{c^2} = \sqrt{\frac{C_1^2 + C_2^2 + \dots + C_N^2}{N}}$$

g\text{-} Mo eM\text{e}M I Mo\text{t}eM Gi gvb mgvb bq| w\text{t}P GKwU tQvU wnmv\text{t}ei mrv\text{t}h` Zv t` Lv\text{t}bv ntj v| aiv hvK, wZbvU AYy\text{t}eM h\text{-}v\text{m}\text{t}g 5 ms⁻¹, 10 ms⁻¹ I 15 ms⁻¹

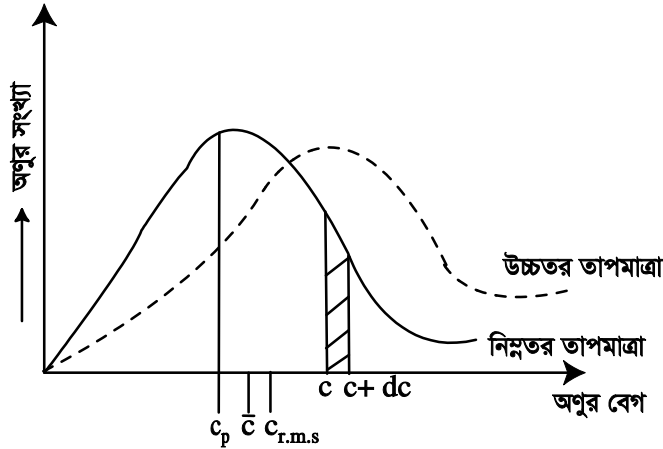
$$AZGe, G\text{t}\text{-}i Mo\text{t}eM = \frac{5+10+15}{3} = 10 \text{ ms}^{-1}$$

$$AYy\text{t}eM g\text{-} Mo eM\text{e}M = \sqrt{\frac{5^2+10^2+15^2}{3}} = 10.8 \text{ ms}^{-1}$$

M\text{-}v\text{t}mi MwZZ\text{t}Ej Mo\text{t}e\text{t}Mi e\text{-}nvi tb| i agv\text{t} g\text{-} Mo eM\text{e}M (R.M.S. teM) e\text{-}eüZ nq|

11.2.3 t AwweK teM eÜb

M\text{-}v\text{t}mi AYy\text{t}eM w\text{e}f\text{b}e\text{t}e\text{t}M w\text{e}f\text{b}e\text{w}\text{-}tK MwZKj\text{-}v\text{t}K| d\text{t}j ci\text{-}u\text{t}ii mv\text{-}t I cv\text{t}i\text{-}t`qv\text{t}j i Mv\text{t}q msNI qNU\text{t}Q | \text{-}v\text{f}weK P\text{v}tC I KqZvcgv\text{t}vq cÜZ Nb wgvUvi M\text{-}v\text{t}m M\text{-}vm AYy\text{t}eM i g\text{t}a` msNI qmsL\text{-}v cÜZ tm\text{t}K\text{t}Ü cÜq 10⁹; msN\text{t}I P Kvi\text{t}Y AYy\text{t}e\text{t}Mi gvb I w`K cwi eZ\text{t} nq| tRgm KwK`g\text{-}v. I\text{t}qj M\text{-}vm AYy\text{t}eM w\text{e}f\text{t}B MwZ w\text{e}t\text{e}Pbv K\text{t}i AmsL\text{-}v M\text{-}vm AYy\text{t}eM g\text{t}a` m\text{-}v\text{t}e` teM eÜ\text{t}bi MwYwZK m\text{-}f` cÜvb K\text{t}ib| cieZ\text{t}K\text{v}tj Rvg\text{t}b c\text{-}v`e` A\text{t}Uv övb`g\text{-}v. I\text{t}q\text{t}j i GB teM eÜb m\text{-}f` cix\text{t}v\text{t}i mrv\text{t}h` cgvY K\text{t}ib| Zvi cix\text{t}v\text{t}j ä djv\text{d}j g\text{-}v. I\text{t}q\text{t}j wnmv\text{t}ei mv\text{-}t PgrKvi fv\text{t}e w\text{t}j hvq|



ৱপ্টি 11.1

g\text{-}v. I\text{t}q\text{t}j i teM eÜb m\text{-}f`v\text{b}v\text{t}q\text{t} AwZ\text{t}j Lw\text{t} 11.1 bs ৱপ্টি i g\text{t}Zv| AYy\text{t}eM eÜb AYy\text{t}eM fi I Zvcgv\text{t}v\text{t}i Dci w\text{f}P K\text{t}i| tKvb w\text{b}w` Zvcgv\text{t}v\text{t}i AYy\text{t}eM fi hZ Kg n\text{t}e AwK teM m\text{-}v\text{t}e`AYy\text{t}eM msL\text{-}v ZZ tek\text{t} n\text{t}e| GKB Zvcgv\text{t}v\text{t}i w\text{e}f\text{b}eM\text{-}v\text{t}mi AYy\text{t}eM MwZKw\text{-}3 mgvb| AZGe n\text{v}e\text{v} AYy\text{t}eM i g\text{-}Mo eM\text{e}M fvix AYy\text{t}eM i g\text{-}Mo eM\text{e}M A\text{t}c\text{t}v\text{t}e\text{t} te\text{t}k n\text{t}e| th\text{t}e\text{t}M AYmsL\text{-}v m\text{e}t\text{P}t\text{q} te\text{t}k tm\text{t}e\text{t}K ej v nq m\text{e}w\text{a}K m\text{-}v\text{t}e` teM (Most Probable Velocity) GtK C_p Øviv cKvk Kiv nq| GB te\text{t}Mi t\text{P}t\text{q} AwKZi te\text{t}Mi AYy\text{t}eM msL\text{-}v k\text{t}b`i w`tK KgtZ\text{-}v\text{t}K| Mo\text{t}eM m\text{e}w\text{a}K m\text{-}v\text{t}e` teM A\text{t}c\text{t}v\text{t}e\text{t} wKQ\text{t}e\text{t}k| Ave\text{v}i g\text{-}Mo eM\text{e}M Mo\text{t}eM t\text{-}tK te\text{t}k nq| teM C I C + a C-Gi ga\text{-}eZ\text{t}P gvb w\text{e}k\text{o} AYy\text{t}eM i msL\text{-}v GB \text{t}e\text{-}v\text{t}j j\text{-}v\text{t}q\text{t}i g\text{t}a` t\text{t} Lw\text{t} w\text{b}e` G\text{t}vKvi t\text{t}i d\text{t}j i mgvb| (11bs ৱপ্টি QvqveZ AAj Øviv t` Lv\text{t}bv nt\text{t}Q)|

mvi mst¶c

M`v¶mi MuzZÉj KZ, wj tgšuj K`Kvth¶ Dci cÁZwôZ/
 MuzZÉj M`vm AYy wj i gj-Mo eM¶eM (R.M.S. teM) M`vm AYy MuzZte¶Mi Mo wntmte e`eüZ nq/
 gj- Mo eM¶eM t Mo eM¶e¶Mi eM¶gj-¶K gj- Mo eM¶eM ej v nq/ A_¶ gj- Mo eM¶eM,

$$C = \sqrt{\frac{C_1^2 + C_2^2 + \dots + C_N^2}{N}}$$

wecj msl`K M`vm AYy wew¶B Muz wetePbv Kti g`v. I tqj th eÜb mF cÖvb Ktib mFwU¶K
 g`v. I tqj i teM eÜb mF ej v nq/

c¶VvEi gj`vqb

K. `be`¶K c¶köt m¶K DÉti i c¶k w¶K w¶y (√) w b |

- 1/ tKvb M`v¶mi 3 w AYy teM h_vµtg-
 10, 15, 20 ms⁻¹ | Gt` i te¶Mi Mo teM tKvbw
 (K) 15.5 ms⁻¹ (L) 15 ms⁻¹
 (M) 16 ms⁻¹ (N) 10 ms⁻¹

- 2/ tKvb M`v¶mi c¶w AYy teM h_vµtg 5ms⁻¹ , 6ms⁻¹ , 7ms⁻¹ , 8ms⁻¹ , 9 ms⁻¹ Gt` i gj-
 MoeM¶eM tKvbw?
 (K) 7 ms⁻¹ (L) 8ms⁻¹
 (M) 7.14 ms⁻¹ (N) 7.5 ms⁻¹

L. ms¶¶B c¶kœ

- 1/ teM Gi msÁv wj L¶y/
- 2/ gj- Mo eM¶eM Gi msÁv wj L¶y/

iPbv¶j-K c¶kœ

- 1/ M`v¶mi MuzZÉj tgšuj K`Kvth` wj wj L¶y/
- 2/ AvYweK teM mFwU eY¶v Ki`b/

cW- 3

MZZÉ; Abytí M'v'mi Pvc, ZvcgvĪv I AYy gj- Mo eMfēMi gta'' m'úK©

Dt'k''

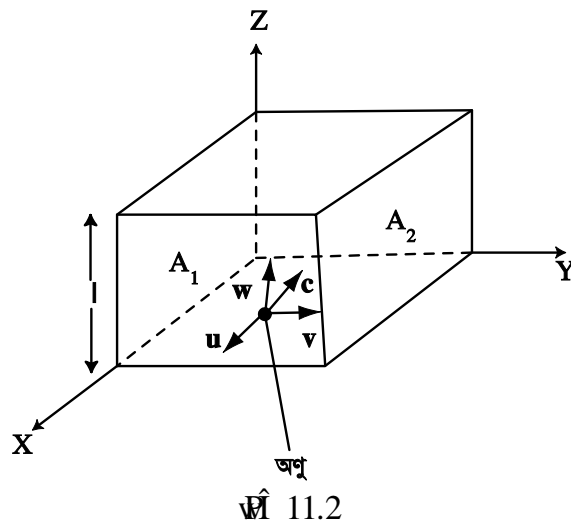
G cW tkłI Avclb -

- 1 M'v'mi MZZÉ; Abytí m'v'mi t'Kvb wv'θ cwi gvY M'v'mi Pvc I M'v'm AYy gj- Mo eMfēMi gta'' m'úK© cĪZcv' b KtZ cviteb|
- 1 ZvcgvĪv I AYy gj- Mo eMfēMi gta'' m'úK© cĪZōv KtZ cviteb|

velqe-z

11.3.1 t MZZÉ; Abytí M'v'mi Pvc

aiv hvK, GKw NbKvKwZi cvtĪi gta'' t'Kvb M'v'm ivLv ntqtQ Ges cvtĪi t`qj m'úYfēte w'wZ'vcK I Gi cĪZw cvtki N°, cvtĪi `B t`qj x At'ji m'v' j' fēte, `B t`qj Y At'ji m'v' I `B t`qj z At'ji m'v' j' fēte Aew-Z|



aiv hvK, x At'ji m'v' j' fēte Aew-Z `w t`qj A1 I A2 | cvtĪi gta'' C1 tēM wēkó GKw AYy aiv ntjv x, Y I z A'j eivei tetMi tgvU Dcvsk h_v'v'g u1, v1 w1 | gtb Kiv hvK, AYw A1 t`q'j av'v tLj | AYy fi m ntj AYw mu1 fēteM av'v Lvte Ges msNI'w'j w'wZ'vcK etj GKB fēteM wēcixZ w' t'K wdti hvte| dtj Gi fēteM nte - mu1

AZGe, AYw'ji fēteM' cwi eZθ = - mu1 - (mu1) = - 2mu1 | A1 t`q'j av'v tL'q AYw'j 1/u1 mg'q A2 t`q'j t'c'ō'w' | A2 t`q'j av'v tL'q c'g'iv'q A1 t`q'j wdti Avm'te| hv' Ab'' t'Kvb AYy m'v' msNI'w'j β bv nq Zvntj A1 t`t'K Avevi A1 G wdti Avm'tZ AYw'ji mg'q j vM'te 2l/u1 | Zvntj cĪZ tm't'K'Ū A1 t`q'j msNI'w'j u1/2l | th'tnZzGKw msNI'w'j AYw'ji fēteM' cwi eZθ = - 2mu1.

$$\frac{u_1}{2l} \text{ msNtI } \textcircled{A} \text{ } 1 \text{ tm} \hat{K} \hat{U} \text{ H AYyj i fi} \hat{t} \hat{t} \text{Mi cwi eZ} \hat{B} = -2mu_1 \times \frac{u_1}{2l} = -\frac{m^2 u_1}{l}$$

WŠzibDUtbi WZxq Muz mĤ AbynĤi GK tmĤKĤŪ fiĤĤMi cwi eZĤ ĉĤŷ etj i mgub | A_Ĥ D³

AYyj i Dci t`qyj KZR.ĉĤŷ ej $= \frac{-mu_1^2}{l}$ | ubDUtbi ZZxq mĤ AbynĤi H AYyj GK B cwi gvY ej

t`qytj i Dci weci xZ w ĤK ĉĤqM KĤi | AZGe, AYyj ōviv A₁ t`qytj ĉĤŷ ej $+\frac{mu_1^2}{l}$

∴ F_x ntj M'vĤmi me AYyKZR. A₁ ZĤj ĉĤŷ ej ,

$$F_x = \frac{m}{l} (u_1^2 + u_2^2 + \dots + u_N^2)$$

GLĤb u₁ , u₂ BZ`w` 1, 2 BZ`w` AYyj i teĤMi x Dci xk |

Avgiv Rmb, Pvc = GKK tĤĤĤdj i Dci ĉĤŷ ej $= \frac{ej}{tĤĤĤdj}$

∴ l² tĤĤĤdj wekó A₁ t`qytj Pvc,

$$P_x = \frac{F_x}{l^2} = \frac{m}{l^2 \times l} (u_1^2 + u_2^2 + \dots + u_N^2)$$

$$\text{ev, } P_x = \frac{Nmu^2}{l^3} \dots \dots \dots (1)$$

GLĤb, $\bar{u}^2 = \text{AYyj i Mo eM} \hat{e} \text{M}$

$$= \frac{u_1^2 + u_2^2 + \dots + u_N^2}{N}$$

$$\text{ev, } N\bar{u}^2 = u_1^2 + u_2^2 + \dots + u_N^2$$

wc_vĤMvivĤmi mĤĤ i mivvĤĤ` t`LĤbv hvq th, th tKvb AYy Rb` c² = u² + v² + w²

$$\therefore \text{Mo eM} \hat{e} \text{M} \text{Mi Rb} \bar{c}^2 = \bar{u}^2 + \bar{v}^2 + \bar{w}^2$$

thĤnZzN GKw epr msL`v Ges AYyj PZv ĤK BZ`Z NĤi teorq, Avgiv ej tZ cwi th,

$$\bar{u}^2 = \bar{v}^2 = \bar{w}^2 \quad A_Ĥ \bar{c}^2 = 3\bar{u}^2$$

Ges P_x = P_y = P_z = P (aiv hĤK)

$$\bar{c}^2 = 3\bar{u}^2$$

$$\therefore \bar{v}^2 = \frac{c^2}{3}$$

\therefore 1 bs mgxKi YtK tj Lv hvq

$$P = \frac{Nmc^2}{3l^3}$$

$$M\check{S}\check{z}^3 = cvt\hat{i} AvqZb = M'v\check{t}mi AvqZb = v$$

$$\therefore P = \frac{Nmc^2}{3v}$$

$$ev, PV = \frac{1}{3} Nmc^2 \text{ ----- (2)}$$

h̄v̄ cvt̄ī AvqZb GKK (1m³) aiv nq, Zvntj tj Lv hvq,

$$P = \frac{1}{3} Nmc^2 \text{ ----- (3)}$$

mgxKi Y (2) t̄t̄K tj Lv hvq

$$P = \frac{1}{3} \frac{Nm}{v} c^2$$

$$ev, P = \frac{1}{3} \rho c^2 \text{ ----- (4) [GLv\check{t}b Nm = tgvU fi, \frac{Nm}{V} = \rho = NbZj]}$$

$$ev, c^2 = \frac{3P}{\rho} \text{ ----- (5)}$$

c^2 Gi eM̄ḡj̄t̄K mst̄ŋ̄t̄c C_{r.m.s} ev īayc ōiv c̄K̄vk Kiv hvq/

$$\sqrt{c^2} = C = \sqrt{\frac{3p}{\rho}} \text{ ----- (6)}$$

Ḡl̄UB AYj̄ gj̄- Mo eM̄ŋ̄t̄Mi m̄t̄_ P̄r̄t̄ci m̄x̄úK̄ŋ̄

11.3.2 t Zvcgvîv I AYÿgj- Mo eMfetiMi gta" mæúK©

M'vftmi Pvc I AYÿgj- Mo eMfetiMi gta" mæúKZ mgxKi YúU

$$P = \frac{1}{3} \rho \bar{c}^2$$

Dfç cvtk v Øviv , Y Kti cvB

$$PV = \frac{1}{3} V\rho \bar{c}^2$$

ev, $PV = \frac{1}{3} Nm \bar{c}^2$ ($\because pr = \frac{Nm}{V}$)

hiv M'vftmi gta" n msl`K tgvj _vtK Ges AvYueK fi M nq Zintj

$$PV = \frac{1}{3} nM \bar{c}^2 \quad (\because n = \frac{Nm}{M})$$

Avevi $PV = nRT$

$$\therefore nRT = \frac{1}{3} nM \bar{c}^2$$

ev, $\left(\frac{1}{3} M \bar{c}^2\right) = RT$

ev, $\bar{c}^2 = \frac{3RT}{M}$ ----- (7)

ev, $C_{r.m.s} = C = \sqrt{\frac{3RT}{M}}$

thtnZzM I R a`eK

$C \propto \sqrt{T}$ ----- (8)

ev, $\bar{c}^2 \propto T$ ----- (9)

A_@ M'vm AYÿ Mo eMfetiMi M'vftmi cig Zvcgvîvi mgvbgwZK | Zvcgvîv evx tctj AYÿij i Mo eMfetiMi evx cvq |

7 bs mgxKi Y t_`K vj LtZ cvvi ,

$$\frac{1}{2} MC^2 = \frac{3}{2} RT$$

$\frac{1}{2} MC^2$ n`Q T cig Zvcgvîvq c`Z tgvj M'vftmi Muzkw³ GtK E Øviv cKvk Kiv nq |

A_@ T cig Zvcgvîvq c`Z tgvj M'vftmi Muzkw³ E = $\frac{3}{2} RT$

c`Z tgvj M'vftm AYÿ msl`vtK Av`vfvMv`Wvi msl`v (N_A) etj | N_A = 6.02×10²³

AZGe, M'vftmi c`Z AYÿ Mo Muz kw³

$$\frac{E}{N_A} = \frac{3}{2} \frac{R}{N_A} T = \frac{3}{2} kT \quad [GLv\# k = \frac{R}{N_A}]$$

$$k \text{ tk tevêRgî\#bi a\#eK ejv nq| Gi gvb} = 1.38 \times 10^{-23} \text{ J K}^{-1}$$

AZGe, M'vm AYjy Mo MwZkw³ Gi cig Zvcgvîvi mgvbzwmZK| MwZEj; Abyv\#i Zvcgvîvi M'vm AYjy Mo MwZkw³ w\#î R Kîi |

D`niY

1| ^fweK Zvcgvîvi I Pvç tkvb M'v\#mi NbZj; 0.09 kg m⁻³ n\#j H M'v\#mi AYywj i gj- Mo eMfem wbyq Ki`b|

$$\text{Avgiv Rwb, M'v\#mi AYywj i gj- Mo eMfem } C = \sqrt{\frac{3P}{\rho}}$$

$$\text{GLv\#b } P = \text{^fweK Pvc} = 1.01325 \times 10^5 \text{ Nm}^{-2}$$

$$\rho = \text{M'v\#mi NbZj} = 0.09 \text{ kg m}^{-3}$$

$$\begin{aligned} \therefore \text{ gj- Mo eMfem, } C &= \sqrt{\frac{3 \times 1.01325 \times 10^5}{0.09}} \\ &= 18.37 \times 10^2 \text{ ms}^{-1} \end{aligned}$$

$$\text{Dt } 18.37 \times 10^2 \text{ ms}^{-1}$$

2| 0° c Zvcgvîvq Av\# tR\#bi gj-Mo eMfem wbyq Ki`b|

$$\text{Avgiv Rwb, gj- Mo eMfem, } C = \sqrt{\frac{3RT}{M}}$$

$$\text{GLv\#b, } R = 8.31 \text{ J mole}^{-1} \text{ k}^{-1}$$

$$T = 273 \text{ k}$$

$$M = 32 \text{ g} = 32 \times 10^{-3} \text{ kg}$$

$$\begin{aligned} \therefore \text{ gj- Mo eMfem, } C &= \sqrt{\frac{3 \times 8.31 \times 273}{32 \times 10^{-3}}} \\ &= \sqrt{212684} \text{ ms}^{-1} \\ &= 461 \text{ ms}^{-1} \end{aligned}$$

$$\text{Dt } 461 \text{ ms}^{-1}$$

3| 30° c Zvcgvîvq 2 gm bvBtU\#R\#bi tgvU MwZkw³ wbyq Ki`b|

$$\text{Avgiv Rwb, ç\#Z tgvj M'v\#mi MwZkw³} = \frac{3}{2} RT$$

$$\therefore n \text{ msL`K tgv\#j i MwZkw³} = \frac{3}{2} nRT$$

$$= \frac{3}{2} \frac{m}{M} RT \quad [\because n = \frac{m}{M}]$$

$$= \frac{3 \times 2}{2 \times 28} \times 8.31 \times 303 \quad [\because T = (273+30)\text{k} = 303\text{k}]$$

$$= 269.78 \text{ J}$$

$$\text{Dt } 269.78 \text{ J}$$

mvj mst¶c

MvZZËj Abyv¶i M'v¶mi Pvc, $P = \frac{1}{2} \rho \bar{c}^2$

GLv¶b, $\rho = M'v¶mi NbZj$

$\bar{c}^2 = AYj Mo eM¶eM$

$$C = \sqrt{\frac{3RT}{M}}$$

GLv¶b M I R a°eK

$$\therefore C \propto \sqrt{T}$$

A_¶ M'vm AYj gj- Mo eM¶eM cig Zvcgv¶v i eM¶j i mgvbgvZK|

M'v¶mi c¶Z AYj Mo MvZkv³ = $\frac{3}{2} KT$

cv¶VËi gj`vqb

1| M'v¶mi Pvc i mv¶_ M'vm AYj Mo eM¶eM i m¶úK¶b¶Pi tKvbuU ?

(K) $P = \frac{2}{3} \rho \bar{c}^2$

(U) $P = \frac{1}{3} \rho \bar{c}^2$

(M) $P = \frac{1}{3} \rho \bar{c}^2$

(M) $P = \frac{3\bar{c}^2 R}{K}$

2| vb¶Pi tKvbuU M'v¶mi Zvcgv¶v I M'vm AYj gj- Mo eM¶eM i mv¶_ m¶úK¶?

(K) $C = \frac{3RT}{M}$

(L) $C = \sqrt{\frac{3RT}{M}}$

(M) $C = \frac{3}{2} RT$

(N) $C = \frac{1}{2} KT$

3| M'v¶mi c¶Z AYj Mo MvZkv³ KZ?

(K) $\frac{1}{2} KT$

(L) $\frac{3}{2} RT$

(M) $\frac{1}{2} RT$

(N) $\frac{3}{2} KT$

4| Zvcgv¶v ev¶ tctj AYvj i Mo eM¶eM i t¶¶t¶ tKvbuU N¶U?

(K) nvm cvq

(L) ev¶ cvq

(M) Acvi evZZ`_v¶K

(N) mvqvb` nvm cvq

cW 4

Mo gŷ c_, f'vbŪvi I qvj m mgxKiY, eŷDbxq MwZ

Dŷik

G cW tktl Avcib -

- | M'vŷmi Mogŷ c_ mŷúŷKŷavi Yv w tZ cvi ŷeb,
- | M'vŷmi f'vbWvi I qvj m mgxKiY wj LtZ cvi ŷeb,
- | eŷDbxq MwZ eYŷv Ki tZ cvi ŷeb|

11.4.1 Mo gŷ c_ (Mean Free Path)

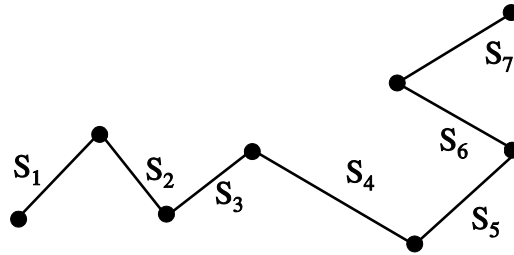
MwZZEj Abyvŷti M'vŷmi AYYwj memgq ci ŷúŷi mŷ_ Ges cvŷŷi t`qvŷji mŷ_ av°v Lvq| cici ŷw msNŷIŷ gŷa AYYwj mij ŷi Lv eivei Pŷj | cici ŷw msNŷIŷ ga'eZŷ i-ZŷK ŷgŷ c_' etj | tKvb AYYŷ gŷ c_ wj mgvb nq bv| ZvB Mo gŷ c_ wYŷ Ki tZ nq| gŷ ct_i i-Zŷ wj i Mo wŷtj th gvb cvl qv hvq ZvŷKB Mo gŷ c_ etj |

Mogŷ ct_i msAv t tKvb AYYŷ cici ŷw msNŷIŷ ga'eZŷ i-Zŷ wj i Mo wŷtj i-Zŷi th gvb cvl qv hvq ZvŷKB Mo gŷ c_ etj | hw tKvb Abyv msL'K msNŷIŷ gvaŷg tgvU s i-Zŷ AwZŷug Kŷi Zvŷtj ,

$$\text{Mogŷ } c_{-}, \lambda = \frac{S}{n}$$

$$\text{ev, } \lambda = \frac{S_1 + S_2 + S_3 + \dots + S_n}{n}$$

GLvŷb wewfbæmsNŷIŷ gŷa AwZŷvŷŷ i-ZŷK S₁, S₂, S₃, --- BZ'w aiv nq|



ŷPŷ 11.3

11.4.2 t f'vbWvi I qvj m mgxKiY

wewfbæmsAvbx cixŷv Kŷi t`tLŷQb th, cKZ.M'vm me mgq Av`kŷM'vm mgxKiY PV=RT tŷtŷ Pŷj bv| ZvQvov etqj Zwi cixŷvq j ŷŷ Kŷi wŷtj b th, i'agvŷ D'PZvvcgvŷvq I wŷŷŷŷŷ ev-e M'vm Zwi mŷtŷtŷ Pŷj |

MwZZŷEj ŷKvhŷwŷ tZ aŷi tbqv nŷqvŷj th, M'vŷmi AYYwj i AvqZb bMb Ges msNIŷe ZxZ M'vm AYYwj i gŷa tKvb AvKIŷ ej wŷqv Kŷi bv| f'vbWvi I qvj m G ŷw ŷKvhŷmsŷkvab Kŷi ev-e M'vŷmi tŷŷŷ GKw mgxKiY cŷZŷv Kŷi b|

cKZcŷŷŷ M'vm AYYwj ci ŷúŷiK AvKIŷ Kŷi | cvŷŷi Af'ŷŷi th AYYwj Ae vb Kŷi Zviv mgfŷte PZŷŷK AvKwŷ nq etj j wä ej kb nq| wKŷŷth AYYŷ t`qvŷji KvQvKwŷ ŷŷK, t`qvŷji wŷŷK mgfŷte AvKIŷ Kivi AYYŷbB etj Zviv t`qvŷji wŷcixZ wŷŷKi AYYŷvov AvKwŷŷ nŷe| Aŷŷ cKZ. Pvc ŷŷ Pvc Aŷcŷŷv tŷw nŷe| cŷŷ Pvc P Ges AvKIŷŷwŷZ etj i i'ŷb Pvc nŷw P₁ nŷj, cKZ.Pvc nŷe P+P₁

f'vbWvi I qvj tmi gtZ G AvZwi³ Pvc M'vftmi NbtZji e#MP mgvbqwmZK ev M'vftmi AvqZtbi e#MP e`-wbqwmZK/

$$\therefore P_1 \propto \rho^2 \propto \frac{1}{V^2}$$

ev, $P_1 = \frac{a}{V^2}$, GLv#b a a^eeK/

cKZ.Pv#ci gvb = $(P + \frac{a}{V^2})$ GLv#b a = a^eeK/

M'vftmi MvZZtEjati tbqv nq th, M'vftmi AYyuj i AvqZb AZ`š-bMb`/ #Kšzabæ Zvcgv#vq I D`PPv#ci M'vftmi AvqZb Dtc#vbxq bq/ dtj M'vftmi KvhRi AvqZb, M'vm cv#i AvqZb v Atc#v #KQyKg nte/ AvqZb nvm#K b Øviv cKvk Kijt M'vm AYtj i Pj v#divi Rb` cKZ.AvqZb nq (v-b)/

AZGe, 1 mole M'vftmi Rb` ev`e M'vftmi mgvKiY $(P + \frac{a}{V^2})(v - b) = RT$

GuUB f'vb Wvi I qvj m mgvKiY/

11.4.3 t e#Dbxq MvZ t kv³kvjx AYv#vY h#šj mvrvt#` tKvb Zijt #Z^a KYvi Zvcxq MvZ t`L#Z cvl qv hvq/ 1827 #LØvtā Bst#R #eÁvbx i evU#e#Db AYv#vY h#šj mvrvt#` Dv#` i Af`š#xY MvB cix#v i mgq GuU c#g j #` K#b/ ZvB Zvi bvgvbyv#i GB MvZ#K e#Dbxq MvZ ejv nq/

#e#f#b#eÁvbx i cix#v j ä djvdtj e#Dbxq MvZi #b#v# #LZ `enkó` ,uj cvij #vZ nq/

- (1) Zvcgv#v ev#v tctj KYv,uj i MvZ ev#v cvq/
- (2) KYv,uj hZ tQvU nq Zv#` i MvZ ZZ tekx nq/
- (3) Zijt i mv` Zv (Viscosity) hZ Kg nq KYv,uj i MvZ ZZ ev#v cvq/
- (4) e#Dbxq MvZ AvbqvqZ, Av#v#Qb# Gtj v#gtj v I #e#v#B/
- (5) cv#i bovPovi Dci KYv,uj i MvZ #b#v#kvj bq/

mvi mst#v#c

Mog# ct_ i msÁv t tKvb AYy cici `#v msN#I# ga`eZx# i-Zj,uj i Mo #btj `i#Zji th gvb cvl qv hvq Zv#KB Mog# c_ etj /

f'vbWvi I qvj m mgvKiY t $(P + \frac{a}{V^2})(v - b) = RT$

cuVvEi gj'vqb

K| ^be⁹K ckat mWK DEti i cutk uK wPy (v) w b|

1| ev_e M'im KLb etqj Gi mF tgb Ptj ?

(K) Lg wbaZvcgvIvq I D'PPvtc

(L) D'P ZvcgvIvq I D'PPvtc

(M) wbaZvc I D'P ZvcgvIvq

(N) wbaZvc I wbaZvcgvIvq|

2| etDbxq Mwzi ^enkó" wbtPi tKvbuU ?

(K) cuti boiPovi Dci KYv,uj i MwZ wbfPkxj |

(L) KYv,uj hZ eo nq Zvt` i MwZ ZZ teuk nq|

(M) ZvcgvIv ewx tctj KYv,uj i MwZ ewx cirq|

(N) Zi tj i mva`Zv hZ teuk nq KYv,uj i MwZ ZZ ewx cirq|

mswTB ckae

(1) Mo gy' ct_i msAv uj Lx|

(2) etDbxq Mwzi ^enkó",uj uj Lx|

cW 5

ev[®]úPvc t m[®]ú³ I Am[®]ú³ ev[®]ú, Am[®]ú³ I m[®]ú³ ev[®]úi cv_℞[®],
evqgÚtj Rj xq ev[®]ú, Av`ZwgvZ, vki ki I vki ki v¼|

Dtí k[®]

G cW t_tK Avcib -

- i ev[®]úPvc wK Zv ej tZ cvi tēb,
- i ms[®]ú³ I Am[®]ú³ ev[®]úPvtci gta[®] cv_℞[®] wj LtZ cvi tēb,
- i wki ki v¼i msAv ej tZ cvi tēb|

11.5.1 t ev[®]úPvc t m[®]ú³ Am[®]ú³ ev[®]ú

Vapour pressure : Staured and Unsaturated Vapour :

tKvb Zij c`v_℞K GKwU Ave× cvtĪ ti tL w`tj ev[®]úvqb cĪμqvq μgk ev[®]úrfZ nq| ev[®]ú AYywj
ci`úti i mvt_ Ges cvtĪ i t`qv t j i mvt_ av[°]v Lvq| GtZ t`qv t j Pvc cto| G Pvc tK ev[®]úPvc etj |

wb[®] θ ZvcgvĪvq GKwU Ave× t`tbi ev[®]ú avi Y Kivi ¶lgZv wb[®] θ Ges Gi GKwU mtePP mqv AvtQ|
hLb tKvb Ave× t`vb GKwU wb[®] θ ZvcgvĪvq Avi AwZwi³ ev[®]ú avi Y Ki tZ cvti bv, ZLb H t`vb tK
ev[®]ú θviv ms[®]ú³ ejv nq| ms[®]ú³ ev[®]ú θviv mō Pvc tK m[®]ú³ ev[®]úPvc (Saturated Vapour
pressure) etj |

tKvb wb[®] θ ZvcgvĪvq tKvb Ave× t`tbi meĪaK th cwi gvY ev[®]ú vKtZ cvti, Zv Atc¶v Kg ev[®]ú
vKtj H ev[®]úPvc tK Am[®]ú³ ev[®]ú etj Ges Gi θviv mō Pvc tK Am[®]ú³ ev[®]ú Pvc (Unsaturated
Vapour) etj |

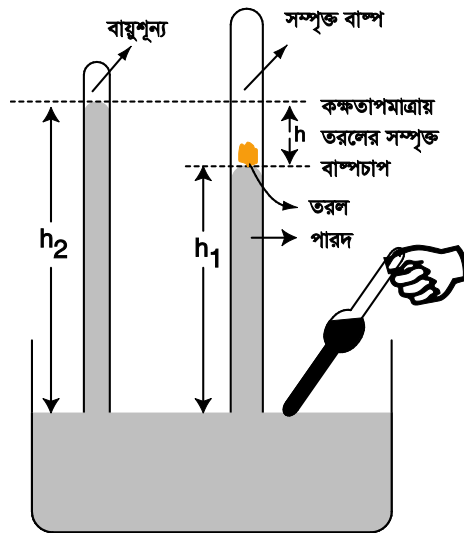
GKwU cix¶vi mvinth[®] ms[®]ú³ I Am[®]ú³ ev[®]úPvtci m[®]úó avi Yv t` I qv th tZ cvti |

cix¶wU vbaēc

cix¶v t cōq GK wgvUv j m[®] I wZb wgvUv ev[®]úmi`wU KvPbj tbi qv nq| bj`wU tK wēi× cvi`
θviv cYKti Aci GKwU cvi`cYcvtĪ i Dci Dcϙ Kti ivLv nq| cix¶v mvti evqgÚj xq Pvc Avyvti
cvi` t`c b t j i Dci w`tK DVte Ges Dfq b t j i cvi` t`c D`PZv mqv nte| cvi` t`c Dc t i
duKv t`vb tK Uvi t m j xi kb[®] t`vb etj | GKwU evKv wctc t Ui mvinth[®] tKvb GKwU b t j h[®] t d w v t d w v
cwb cĪek Kiv t b v nq, cwb cvi` Atc¶v nvev etj cvi` i Dc t i D t V Av t m Ges U t i t m j xi kb[®] t`t b
`Z ev[®]úwqZ nq| G ev[®]úPvtc cvi` t`c w b t P t b t g h v q| G f i t e w c t c t U i m v i n t h[®] A r A r K t i c w b
b t j c Ī e k K i t Z v K t j c v i` t`c a x t i a x t i w b t P b v g t Z v t K | G g b G K w U m g q A v t m h L b b t j c w b
c Ī e k K i v t Z v K t j A v i e v[®]úw q Z b v n t q c v i t` i D c i R g v n q | Z L b c v i` t`c A v i w b t P b v t g b v |

G Ae[®]vq U t i t m j xi kb[®] t`vb ev[®]ú θviv ms[®]ú³ n t q t m t Q | G c i x ¶ v t _ t K t e v S v h v q t h, c Ī Z`K A v e ×
t`tbi ev[®]ú avi Y Kivi meĪaK GKwU ¶lgZv AvtQ hLb meĪaK ev[®]ú t`v wU cY¶v t q h v q, ZLb Gi Pvc
mtePP nq|

H ev⁰útk m⁰ú³ ev⁰ú ejv nq Ges Pvc⁰tk m⁰ú³ ev⁰ú Pvc etj | m⁰ú³ Ae⁻vq tc⁰vi ce⁰ch⁰-btji g⁰ta⁰ th ev⁰ú ⁻v⁰tk, Zv⁰tk Am⁰ú³ev⁰ú etj | tk⁰v Av⁰ex ⁻v⁰tb Zi⁰tji ms⁻útk⁰ev⁰ú ⁻v⁰tk⁰ tm ev⁰ú Aek⁰B m⁰ú³ | Zv⁰ntj ejv hvq, tk⁰v c⁻v⁰tk⁰ ev⁰ú Zi⁰tji Dc⁰w⁻úZ⁰ th Pvc c⁰q⁰M K⁰ti Zv⁰tk m⁰ú³ev⁰ú Pvc (s.v.p.) etj | ev⁰ú⁰ ms⁻útk⁰ev⁰ú⁰ Zi⁰tji Dc⁰w⁻úZ⁰ ⁰bt⁰ K⁰ti Av⁰ex ⁻v⁰tb me⁰ta⁰K c⁰w⁰gv⁰Y ev⁰ú it⁰q⁰ Ges Av⁰Z⁰ ev⁰ú NY⁰xf⁰Z n⁰tq Zi⁰tj c⁰w⁰YZ n⁰tq⁰ | G c⁰ix⁰q⁰ bj ⁻v⁰ti c⁰vi ⁻tk⁰ c⁰v⁰tk⁰ t⁻tk m⁰ú³ ev⁰ú Pvc ⁰bt⁰ K⁰ti hvq | h⁰ m⁰ú³ Ae⁻vq c⁰vi ⁻tk⁰ D⁰PZ⁰ h₁ | Ab⁰ú⁰ D⁰PZ⁰ h₂ nq, Zv⁰ntj m⁰ú³ ev⁰ú Pvc, $h = h_2 - h_1$,



পট্টন 11.4

c⁰ix⁰q⁰ m⁰iv⁰th⁰ t⁻lv⁰tb hvq th, Am⁰ú³ ev⁰ú t⁰gv⁰lv⁰ f⁰ite etaj | P⁰v⁰ ⁰mi m⁰f⁰ t⁰g⁰tb P⁰tj |

11.5.2 তৃকি I তৃকি⁰ (Dew and Dew point)

Zvcgv⁰tv evotj tk⁰v ⁻v⁰tb Rj⁰xq ev⁰ú avi⁰Y ⁰lg⁰Zv te⁰to hvq | Zvcgv⁰tv Kgtj tm ⁻v⁰tb Rj⁰xq ev⁰ú avi⁰Y ⁰lg⁰Zv K⁰tg hvq | ev⁰q⁰új Rj⁰xq ev⁰ú ⁰iv m⁰ú³ n⁰tj H ev⁰q⁰új Avi Rj⁰xq ev⁰ú avi⁰Y Ki⁰t⁰Z c⁰ti bv | m⁰avi⁰YZ tk⁰v ⁻v⁰tb ev⁰q⁰új th c⁰w⁰gv⁰Y Rj⁰xq ev⁰ú ⁻v⁰tk, Zvi ⁰iv tm ev⁰q⁰új m⁰ú³ nq bv |

tk⁰sz⁰ev⁰q⁰ax⁰ti ax⁰ti k⁰x⁰Zj n⁰t⁰ ⁻v⁰tk⁰, tk⁰v GK Zvcgv⁰tv ev⁰q⁰ú³ Rj⁰xq ev⁰ú ⁰iv⁰B m⁰ú³ n⁰tq hvq Ges Avi Rj⁰xq ev⁰ú avi⁰Y Ki⁰t⁰Z c⁰ti bv | ZLb Rj⁰xq ev⁰ú NY⁰xf⁰Z n⁰tq tk⁰tk⁰ti c⁰w⁰YZ nq | th Zvcgv⁰tv ev⁰q⁰ú Rj⁰xq ev⁰ú ⁰iv m⁰ú³ nq, tm Zvcgv⁰tv⁰tk H ⁻v⁰tb tk⁰tk⁰ti etj | tk⁰v ⁻v⁰tb ev⁰q⁰ú Zvcgv⁰tv n⁰m ⁻i P⁰vtc N⁰tU ⁻v⁰tk | Zv⁰B tk⁰v ⁻v⁰tb ev⁰q⁰ú c⁰ú⁰g⁰K Ae⁻vq Rj⁰xq ev⁰ú⁰ th Pvc, tm⁰ H ⁻v⁰tb tk⁰tk⁰ti m⁰ú³ ev⁰ú P⁰vtci mgvb |

kir⁰K⁰tj t⁰vi⁰tejv N⁰t⁰mi W⁰M⁰q ev M⁰t⁰Qi c⁰v⁰Zv tk⁰tk⁰ ⁰ev⁰ ⁻lv hvq | G mg⁰q ⁻v⁰tb tej⁰vq tek Mi⁰g I ⁻v⁰tk⁰ k⁰x⁰Z ⁻v⁰tk | ⁻v⁰tb tej⁰v ev⁰q⁰új i Zvcgv⁰tv te⁰tk etj Rj⁰xq ev⁰ú avi⁰Y ⁰lg⁰Zv te⁰tk ⁻v⁰tk | ⁻v⁰tk⁰ tej⁰v Zvcgv⁰tv h⁰Lb K⁰tg hvq, ZLb ⁰ev⁰q⁰ú Zvcgv⁰tv ev⁰Z⁰tm Rj⁰xq ev⁰ú⁰ c⁰w⁰gv⁰Y, avi⁰Y ⁰lg⁰Zv t⁰q⁰ te⁰tk n⁰tq c⁰to | dtj ev⁰Z⁰tm Rj⁰xq ev⁰ú⁰ m⁰ú³ nq Ges Av⁰Z⁰ Rj⁰xq ev⁰ú NY⁰xf⁰Z n⁰tq tk⁰tk⁰ti c⁰w⁰YZ nq | av⁰Ze c⁻v⁰ ⁰Z⁰v⁰iv⁰ V⁰v⁰ nq etj ⁰ú⁰tb P⁰vtj eo eo tk⁰tk⁰ ⁰ev⁰ ⁻lv hvq | th Zvcgv⁰tv ev⁰q⁰új i tk⁰v ⁰bt⁰ Av⁰q⁰Z⁰bi ev⁰q⁰ú g⁰ta⁰ Aev⁻Z Rj⁰xq ev⁰ú ⁰iv m⁰ú³ nq, tm Zvcgv⁰tv⁰tk tk⁰tk⁰ti etj |

tk⁰v ⁻v⁰tb Zvcgv⁰tv 26⁰c Ges tk⁰tk⁰ti 26⁰c ej⁰t⁰ e⁰sv hvq, H ⁻v⁰tb ev⁰q⁰ú⁰ Zvcgv⁰tv Rj⁰xq ev⁰ú Am⁰ú³ tk⁰sz⁰20⁰c Zvcgv⁰tv GKB c⁰w⁰gv⁰Y Rj⁰xq ev⁰ú ⁰iv H ⁻v⁰tb ev⁰q⁰ú⁰ nq | Ave⁰vi 26⁰c Zvcgv⁰tv H ⁻v⁰tb Dc⁰w⁻Z Rj⁰xq ev⁰ú⁰ Pvc, 20⁰c Zvcgv⁰tv m⁰ú³ Rj⁰xq ev⁰ú⁰ P⁰vtci mgvb |

11.5.3 $m\alpha\acute{u}_{,3}$ I $Am\alpha\acute{u}_{,3}$ ev[®]úí cv_R

(Difference between Saturated and unsaturated vapours)

$m\alpha\acute{u}_{,3}$ ev [®] ú	$Am\alpha\acute{u}_{,3}$ ev [®] ú
(1) $\text{wbw}^{\text{®}} \text{Zvcgv}\hat{\text{I}}\text{vq tKvb Ave}\times \text{`v}\text{tb h}\text{w} \text{me}\hat{\text{h}}\text{aK cwi}\text{gvY ev}^{\text{®}} \text{`v}\text{tK, Zvntj D}^3 \text{ev}^{\text{®}}\text{ú}\text{tK } m\alpha\acute{u}_{,3} \text{ev}^{\text{®}} \text{etj} $	(1) $\text{wbw}^{\text{®}} \text{Zvcgv}\hat{\text{I}}\text{vq tKvb `v}\text{tb me}\hat{\text{h}}\text{aK th cwi}\text{gvY ev}^{\text{®}} \text{`v}\text{KtZ cv}\text{ti Zvi tP}\text{tq Kg ev}^{\text{®}} \text{`v}\text{Ktj D}^3 \text{ev}^{\text{®}}\text{ú}\text{tK } Am\alpha\acute{u}_{,3} \text{ev}^{\text{®}} \text{etj} $
(2) $m\alpha\acute{u}_{,3} \text{ev}^{\text{®}} \text{`i}\text{ayAve}\times \text{`v}\text{tb `Zix Kiv hvq} $	(2) $\text{tLvjv Ges Ave}\times \text{Df}\text{q `v}\text{tbB } Am\alpha\acute{u}_{,3} \text{ev}^{\text{®}} \text{`Zix Kiv hvq} $
(3) $m\alpha\acute{u}_{,3} \text{ev}^{\text{®}} \text{`xq Zi}\text{tj i m}\text{v}\text{t}_\text{ mvg}\text{`ve`v}\text{q Ae`vb Ktj} $	(3) $Am\alpha\acute{u}_{,3} \text{ev}^{\text{®}}\text{úí ms`ú}\text{tK}^{\text{®D}^3} \text{c`v}\text{t}_\text{P} \text{tKvb Zij `v}\text{tK bv} $
(4) $m\alpha\acute{u}_{,3} \text{ev}^{\text{®}} \text{Pvj}\hat{\text{m}} \text{I etqj Gi m}\hat{\text{f}} \text{tg}\text{tb Ptj bv} $	(4) $Am\alpha\acute{u}_{,3} \text{ev}^{\text{®}} \text{Pvj}\hat{\text{m}} \text{I etqj Gi m}\hat{\text{f}} \text{tg}\text{tb Ptj} $
(5) $\text{Zvcgv}\hat{\text{I}}\text{v ew}\times \text{Ki}\text{tj } \text{wbw}^{\text{®}} \text{cwi}\text{gvY } m\alpha\acute{u}_{,3} \text{ev}^{\text{®}} \text{Am}\alpha\acute{u}_{,3} \text{ev}^{\text{®}}\text{úí cwiYZ nq} $	(5) $\text{Zvcgv}\hat{\text{I}}\text{v Kvg}\text{tq } \text{wbw}^{\text{®}} \text{cwi}\text{gvY } Am\alpha\acute{u}_{,3} \text{ev}^{\text{®}}\text{ú}\text{tK } m\alpha\acute{u}_{,3} \text{ev}^{\text{®}}\text{úí cwiYZ Kiv hvq} $

mvi mst[®]q|c

$m\alpha\acute{u}_{,3}$ ev[®]ú Pvc t $\text{wbw}^{\text{®}} \text{Zvcgv}\hat{\text{I}}\text{vq tKvb Ave}\times \text{`v}\text{tb h}\text{w} \text{me}\hat{\text{h}}\text{aK cwi}\text{gvY ev}^{\text{®}} \text{`v}\text{tK Zvntj D}^3 \text{ev}^{\text{®}}\text{ú}\text{tK } m\alpha\acute{u}_{,3} \text{ev}^{\text{®}} \text{etj} | m\alpha\acute{u}_{,3} \text{ev}^{\text{®}} \text{Øivn m}\hat{\text{p}} \text{Pvc}\text{tK } m\alpha\acute{u}_{,3} \text{ev}^{\text{®}}\text{úPvc}$ (Saturated Vapour Pressure) etj |

$Am\alpha\acute{u}_{,3}$ ev[®]ú Pvc t $\text{wbw}^{\text{®}} \text{Zvcgv}\hat{\text{I}}\text{vq tKvb Ave}\times \text{`v}\text{tbi ev}^{\text{®}} \text{m}\hat{\text{t}}\text{e}\hat{\text{P}} \text{th Pvc w}\hat{\text{t}}\text{Z cv}\text{ti, ev}^{\text{®}}\text{úí Pvc Zvi tP}\text{tq Kg ntj Zv}\text{tK } Am\alpha\acute{u}_{,3} \text{ev}^{\text{®}} \text{Pvc etj} |$

$\text{wkwkiv}\frac{1}{4}$ t th $\text{Zvcgv}\hat{\text{I}}\text{vq evqg}\hat{\text{U}}\text{tj i tKvb } \text{wbw}^{\text{®}} \text{AvqZ}\text{tbi evqg}\text{Gi g}\hat{\text{t}}\text{a} \text{Aew`Z Rj}\text{xq ev}^{\text{®}} \text{Øivn } m\alpha\acute{u}_{,3} \text{nq, tm } \text{Zvcgv}\hat{\text{I}}\text{v}\text{tK } \text{wkwkiv}\frac{1}{4} \text{etj} |$

ctVvEi gj'vqb

K. %be³K cktat mWK DEti i ctR WK Pý (✓) w b |

- 1/ m³ú³er⁰ú Prc-
 - K) Pvj m Gi m¹ tgb Ptj
 - L) etaj Gi m¹ tgb Ptj
 - M) etaj I Pvj m Gi m¹ tgb Ptj bv
 - N) etaj I Pvj m Gi m¹ tgb Ptj |
- 2/ wkiv¼ ej tZ WK eSvq ?
 - K) Rj xq er⁰úi Zvcgv¹v
 - L) evqy¹Z Rj xq er⁰úi cwi gvY
 - M) Am³ú³ Rj xq er⁰úi Zvcgv¹v
 - N) th Zvcgv¹vq evqy¹Z Rj xq er⁰ú m³ú³nq
- 3/ Am³ú³ er⁰ú Prc
 - K) Pvj m I etaj Gi m¹ tgb Ptj |
 - L) Pvj m Gi m¹ tgb Ptj WK³etaj Gi m¹ tgb Ptj bv |
 - M) etaj Gi m¹ tgb Ptj WK³Pvj m Gi m¹ tgb Ptj bv |
 - N) Pvj m I etaj Gi m¹ tgb Ptj bv |

L. msu¹B cktæ

- 1/ m³ú³er⁰ú Prci msÁv wj Lty |
- 2/ wkiv¼i msÁv wj Lty |
- 3/ tKvb v¹bi Zvcgv¹v 25⁰ c Ges wkiv¼ 18⁰ c ej tZ WK eSvq?

cW 6

evqj Av`Zv, m³ I i[®] evj &nbŦMöglvi, Av`ZvgnZ msµvš-KŦqKvŦ cĕæevqŦŦj Rj xq evŦ[®]úi mŦ_ RvŦZ KŦqKvŦ cĕKvZK NUbv|

DŦi k`

G cW ŦkŦI Avcb -

- 1 cig Av`Zv I AvŦcŦŦK Av`Zvi msAv ej ŦZ cviŦeb| ŦkŦi vŦ¼ ŦK Zv Ŧj LŦZ cviŦeb,
- 1 AvŦcŦŦK Av`Zv ŦbYŦ cŦŦj x eYŦv KiŦZ cviŦeb,
- 1 Av`ZvgnZ msµvš-ŦKŦcŦŦkĕ DEi I ŦKŦcŦŦKvZK NUbv eYŦv KiŦZ cviŦeb|

11.6.1 t evqj Av`Zv t evqj Av`ZvŦK `ŦŦvŦe cĕKvK Kiv hvq| h_v: (1) cig Av`Zv I (2) AvŦcŦŦK Av`Zv|

cig Av`Zv (Absolute Humidity) t ŦbŦŦ AvqZŦbi evqjZ ŦbŦŦ mgŦq Dcv`Z Rj xq evŦ[®]úi fiŦK H AĀŦj i cig Av`Zv ej v nq|

cig Av`Zv 0.003 kg / m³ ej ŦZ eŦvq cĕZ Nbvglvi evqjZ 0.003kg Rj xq evŦ[®]úi AvŦQ|

AvŦcŦŦK Av`Zv (Relative Humidity) t ŦbŦŦŦ ZvcgvŦvq evqj Rj xq evŦ[®]úi avi Y ŦŦgZv ŦbŦŦŦ ŦvŦK| mŦvavi bZ hZUKzRj xq evŦ[®]úi avi Y KiŦZ cviŦi evqjZ ZZUKzRj xq evŦ[®]úi ŦvŦK bv, Zvi ŦŦŦq Kg ŦK| ŦKvb ŦvŦbi evqŦŦj ŦbŦŦŦ ZvcgvŦvq cĕZcŦŦŦ hZUKzRj xq evŦ[®]úi Dcv`Z iŦŦŦ Ges D³ ZvcgvŦvq hZUKzRj xq evŦ[®]úi avi Y KiŦZ cviŦi G `ŦŦŦi AbŦvZŦK AvŦcŦŦK Av`Zv etj |

AvŦcŦŦK Av`ZvŦK R ŦvŦv cĕKvK KiŦj AvŦgŦv Ŧj LŦZ cŦvŦi,

$$R = \frac{\text{evqj ZvcgvŦvq ŦbŦŦŦ AvqZŦbi evqjZ Dcv`ZŦZ Rj xq evŦ[®]úi fi}}{\text{evqj ZvcgvŦvq H AvqZŦbi evqjZ mŦŦŦŦ³ KiŦZ cŦŦŦRbvq Rj xq evŦ[®]úi fi}}$$

ŦŦŦŦZŦbŦŦŦ AvqZŦbi Rj xq evŦ[®]úi fi ŦŦŦŦi mgvŦŦŦZK,

$$\begin{aligned} \therefore R &= \frac{\text{evqŦŦj Dcv`Z Rj xq evŦ[®]úi Pvc}}{\text{evqj ZvcgvŦvq H ŦvŦŦK mŦŦŦŦ³ KiŦZ cŦŦŦRbvq Rj xq evŦ[®]úi Pvc}} \\ &= \frac{\text{ŦkŦi vŦ¼ mŦŦŦŦ³ Rj xq evŦ[®]úi Pvc}}{\text{evqj ZvcgvŦvq mŦŦŦŦ³ Rj xq evŦ[®]úi Pvc}} \end{aligned}$$

AvŦcŦŦK Av`ZvŦK kZKiv ŦŦŦŦŦe cĕKvK Kiv nq|

av hvK

$$\text{ŦkŦi vŦ¼ mŦŦŦŦ³ evŦ[®]úi Pvc} = f$$

$$\text{evqj ZvcgvŦvq mŦŦŦŦ³ evŦ[®]úi Pvc} = F$$

$$\text{AZGe, AvŦcŦŦK Av`Zv, } R = \frac{f}{F} \times 100\%$$

Avtcw7K Av`Zv 70% ej tZ Avgiv evs, evqyhZUKzRj xq ev0u avi Y KitZ cvi Z Zvi kZKiv 70 fVM Rj xq ev0u evqjZ Dcw`Z AvtQ|

Avenl qv weAvb wefVM (Meteorological department) evqgUtji Avtcw7K Av`Zv cwigvc Kti Avenl qv m0u0K0ceffvm w tq _vtK|

wevfbaZvcgv1vq ms0u03 Rj xq ev0u Pvtci Zuj Kv vbt0e mvi YxZ (mvi Yx-1) t`qv ntjv| (GLv#b Zvcgv1vtK tmj wmqvm t`fj l ms0u03 ev0u Pvc0K wgv0ti cvi` 00 Pvtc cKvk Kiv ntqtQ)|

mvi Yx - 1 t (titbvi Zuj Kv)

Zvcgv1v	m0u03 ev0u Pvc	Zvcgv1v	m0u03 ev0u Pvc	Zvcgv1v	m0u03 ev0u Pvc
(0 ⁰ c)	(m)	(0 ⁰ c)	(m)	(0 ⁰ c)	(m)
0	4.58×10 ⁻³	14	11.99×10 ⁻³	28	28.35×10 ⁻³
2	4.58×10 ⁻³	16	13.63×10 ⁻³	30	31.83×10 ⁻³
4	6.10×10 ⁻³	18	15.48×10 ⁻³	32	35.66×10 ⁻³
6	7.01×10 ⁻³	20	17.54×10 ⁻³	34	39.90×10 ⁻³
8	8.05×10 ⁻³	22	19.83×10 ⁻³	36	44.42×10 ⁻³
10	9.21×10 ⁻³	24	22.38×10 ⁻³	38	49.58×10 ⁻³
12	10.52×10 ⁻³	26	25.21×10 ⁻³	40	55.52×10 ⁻³

11.6.2 t Av`Zv gvck hšj(Hygro meter)

wm3 l i0 evj 0nvBtM0gUvi t th htšj mvi0th evqj Av`Zv cwigvc Kiv nq ZvtK nvBtM0gUvi ejv nq|

wm3 l i0 evj 0 nvBtM0gUvi G aitYi GKw hšj vbtP wm3 l i0 evj 0 nvBtM0gUvii eY0v l Kvhe0vj x t`qv ntjv|

htšj eY0vt G htšj`0 cvi` _vtg0gUvi A l B cvkvcwk GKw Kv0Vi tdtg Dj 0fite j vM0t0v _vtK| GKw _vtg0gUvi 0riv evqgUtji Zvcgv1v M0Y Kiv nq| Ab0Uv vbtPi Astk Aew`Z evj 0e gmij tbi cj tZ Rovt0v _vtK Ges Gw GKw cvt1 cwi0vi cmbi gta` W0v0v|

cwb cj tZ tetq Dcti l tV Ges B _vtg0gUvii evj 0 memgq wm3 ivtL| gmij b t`tK cwb ev0uvqZ nq| dtj wm3 evj 0 _vtg0gUvi i0 evj 0 _vtg0gUvii tPtq Kg Zvcgv1v c0k0 Kti| 0 _vtg0gUvii Zvcgv1vi e0arb evqgUtji Av`Zv Dci vbfP Kti| Av`Zv hZ Kg nte ev0uvq ZZ`Z nte Ges wm3 evj 0 _vtg0gUvii Zvcgv1v ZZ Kg nte|

vtgUvri 0tqi cvtVi e`eavb hZ teik nte, Avenl qvi i`Zv ZZ teik nte| vtgUvtii ZvcgvIvi e`eavb Kg ntj eSv hrte th, evqUj Rj xq ev`u 0viv m`u³, dtj ev`uqv n`Q bv|

KheVj x t tKvb vtbi AvtcvK Av`Zv vbyQ Kitz ntj tmB vtbi hSjU ti tL vtgUvri vbi cvV tbqv nq| t`hisa`ii mF t`K ukukiv% vbyQ Kti AvtcvK Av`Zv tei Kiv nq|

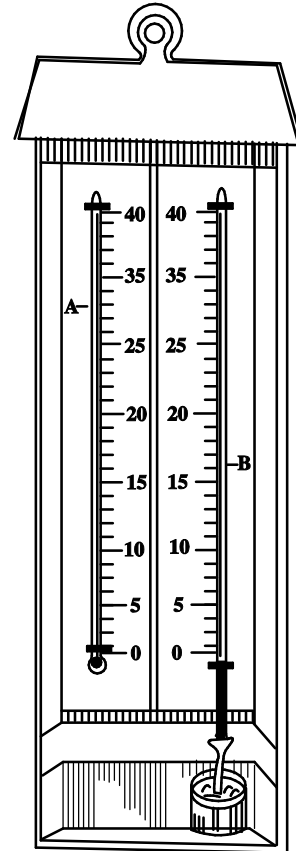
aiv hvK, i`ej e vtgUvtii cvV = θ_1^0 C

m³ ej e vtgUvtii cvV = θ_2^0 C

D³ mgtq ukukiv% = θ^0 C

Zvntj, t`hisa`ii mFvbynti

$$(\theta_1 - \theta) = G (\theta_1 - \theta_2) \text{ ----- (1)}$$



PT : 11.5

GLvtb G n`Q θ_1^0 c ZvcgvIvq t`hisa`ii Drcv`K|

t`hisa`ii Drcv`Kti Zvj Kv (mvi Yx - 2) t`K G Gi gvb eumtq 1 bs mgvKiY t`K ukukiv% (θ) cvl qv hvq|

Gevi, tibj Zvj Kv t`K ukukiv% (θ^0 c) m`u³ev`uPvc f l evqj ZvcgvIvq (θ_1) m`u³ev`uPvc F tei Kti AvtcvK Av`Zv vbyQ Kiv nq,

$$\text{AvtcvK Av`Zv, } R = \frac{f}{F} \times 100\%$$

mviYx - 2 (গ্নইসাঁi i Drcv tKi Zwj Kv)

i ⁰ evj tci ZvcgvĪv (0 c)	tMBmvĭi i Drcv`K (G)	i ⁰ evj tci ZvcgvĪv (0 c)	tMBmvĭi i Drcv`K (G)	i ⁰ evj tci ZvcgvĪv (0 c)	tMBmvĭi i Drcv`K (G)
4	7.82	15	1.90	27	1.68
5	7.82	16	1.87	28	1.67
6	6.62	17	1.85	29	1.66
7	5.77	18	1.83	30	1.65
8	4.92	19	1.81	31	1.64
9	4.04	20	1.79	32	1.63
10	2.06	21	1.77	33	1.62
11	2.02	22	1.75	34	1.61
12	1.99	23	1.74	35	1.60
13	1.95	24	1.72	36	1.59
14	1.92	25	1.70	37	1.58
		26	1.69	38	1.57
				39	1.56

11.6.3 t Av`ZwgvĪ msµvš-KtqKw cĭæ

- (1) elĬKvj AtcĬv kvZKvtj tFRv Kvc ZvovZmo i Kvq tKb?
 DĒi t kvZKvtj ZvcgvĪv elĬKvj AtcĬv Kg nĭqv mĕĒj ev⁰uvq b`z nq etj ZvovZmo Kvc i Kvq | ev⁰uvq ũbf⁰ Kĕi AvtciĬK Av`Zvi Dci | elĬKvtj AvtciĬK Av`Zv tenk _vtK | kvZKvtj evZvtm Rjxq ev⁰u Kg _vtK | G KvĕtY evZvtmi AvtciĬK Av`Zv Kg _vtK etj tFRv Kvc t`ĕ ev⁰uvq b`z nq | dtj Kvc ZvovZmo i Kvq |
- (2) GKB ZvcgvĪv XvKv AtcĬv K· evRvti tenk A`Ĭ-ĕeva nq tKb?
 DĒi t K· evRvi mgÿZxieZ⁰ etj tmLvtb AvtciĬK Av`Zv tenk | XvKv AtcĬvKZ· ĕĕi nĭqv tmLvbKvi AvtciĬK Av`Zv Kg |
 Avgiv Rvb, evqĜĪtj i AvtciĬK Av`Zv teto tMĕj ev⁰uvq tbi nvi Kĕg hvq | dtj XvKv kixi t`ĕ ũbM⁰ Nvg `z i Kvĕ Ges kixi t`ĕ tenk mĕZvc MĕY Kiĕ | dtj t`n kvZj ĕeva nq I Ĭ-jvtM | XvKv t`ĕ K· evRvti kixi t`ĕ ũbM⁰ Nvg Kg i Kvĕ I ev⁰uvq tbi Rb` Kg mĕZvc cĭqvRb nĕ | dtj XvKv AtcĬv K· evRvti tenk A`Ĭ-ĕeva nq |
- (3) AvKvk tgNj v_vKtj ũkĭki cĕo bv tKb?
 DĒi t i vtZ f;cĕ Zvc ũkĭki Y Kĕi VŪv nq | evqĜĪtj i Rjxq ev⁰u ũĕi ZvcgvĪv Ams⁰ _vtK | i vtZi tejvq f;cĕ msj MævqvVŪv nĕj ũb⁰ ZvcgvĪv tmB evqRjxq ev⁰u Ūv ms⁰ nq I Rjxq ev⁰u NYxfZ nĕq ũkĭki Rĕg | ũKšZAvKvtk hĕ tgN _vtK, Zvtj f;cĕ Zvc ũkĭki Y KiĕZ cvĕi bv | KvĕY tgN Zvcĕvax c`v⁰ Zvc mĕvj b KiĕZ cvĕi bv etj f;cĕ VŪv nq bv | dtj AvKvk tgNj v_vKtj ũkĭki cĕo bv |
- (4) evqĜĪtj i Ae`v tKgb nĕj Gi ZvcgvĪv I ũkĭki⁰ mgvb nq?
 DĒi t mĕvri YZ evqZ me mgqB ũKQYRjxq ev⁰u _vtK | ũb⁰ ZvcgvĪv ũb⁰ AvqZtbi evqRjxq ev⁰u aviY ĬgZv mĕvex | ZvcgvĪv KgtZ _vtK ũb⁰ cĕvĕv Rjxq ev⁰u Ūv evq ms⁰ nĕt _vtK | th ZvcgvĪv evqms⁰ nq, tm ZvcgvĪv ũkĭki⁰ etj | hĕ evqĜĪtj Ae`v Z Rjxq ev⁰u Ūv evqĜĪtj ms⁰ _vtK, Zvtj evqĜĪtj i ZvcgvĪv I ũkĭki⁰ GKB nĕ | A`Ĭ hĕ KLB I evqĜĪtj i ZvcgvĪv I ũkĭki⁰ mgvb nq Zvtj Avgiv ev⁰ th, evqĜĪtj Ae`v Z Rjxq ev⁰u Ūv evqms⁰ Ae`v AvtQ |

11.6.4 t evqyÚtj Rj xq ev[®]úí m_t_ RvDZ KtqKw cÜKwZK NUbv

Kqkv I KRŠiUKv (Mist and fog) t tKvb tKvb AĀtj KLBi tKvb evqyÚtj i vZ me⁻xb[°]vb Rto ZvcgŪv i¹¼ t³Qv³bri dtj tmLvbKvi evqyÚtj Rj xq ev[®]úí 0v³ nq | m³ú³ nevi ci ZvcgŪv Avi I Ktg tM³tj Rj xq ev[®]úí NYxfZ n³tq ų³ž³ c³mbi KYvq cwiYZ nq | GB c³mbi KYv evqyZ Aew⁻Z awj KYvi Dci Rtg f³m³tZ v³tK | Gf³vte GKĪĪ A³tbK³ wj f³vmg³v³ c³mbi KYvi mgv³tek³tK Kqkv etj | GB c³mbi KYv L³y Nb m³mb³eo n³tq v³K³tj Zv³tK KRŠiUKv etj |

tgN (Cloud) t f⁻c[°] t⁻tK hZ Dcti I Vv h³vq ZvcgŪv ZZ KgtZ v³tK | f⁻c[°]i m³mi, b⁻x³v³v³, L³vj -w³ej, c³ž³ t⁻tK m³h³ P Z³v³c Rj xq ev[®]úí Zix nq | DĒB Rj xq ev[®]úí n³v³ev etj Dcti I t³v | μgk hZ Dcti D³t³v ZZB kxZj nq Ges GKw ų³ž³ i m³t³q Rj xq ev[®]úí ų³ž³ c³mbi KYvi Av³K³ti cwiYZ n³tq evqyZ Da³v³K³vtk t³f³m³ teovq | Gme c³mb KYvi mgw³B tgN | g³t³-Z: Kqkv I tgN GKB | Kqkv m³q nq f⁻c[°] t⁻tK i¹¼ Dcti Avi tgN t³f³m³ teovq A³tbK Dcti | tg³t³Ni KYv hLb tenk f³vix n³tq h³vq ZLb t³m³ wj w³t³Pi w³t³K b³vgtZ v³tK | Avevi w³t³Pi D³oZ³vq evqy ms⁻ú³t³k³ G³m ev[®]úí cwiYZ n³tq Dcti P³tj h³vq | tgN Gf³vte I Vv³v³gv K³ti |

ev[®] (Rain) t tg³t³N Aew⁻Z c³mbi KYv³ wj c³vi ų³vi K Av³KI³ų³vi K³vi t³Y w³gvj Z n³tq eo eo KYvq cwiYZ nq | ZLb Avi Giv evqyÚtj t³f³m³ v³K³tZ c³vti b³v | Aw³f³KI³ų³ Z³i t³Yi dtj w³t³Pi w³t³K b³vgtZ v³tK | G³t³KB ev[®] etj |

ikjv (Hail) t A³tbK mgq Z³xe³ evqyÚtj dtj evqyÚtj i w³g³gv³ c³mb KYv Dcti i w³t³K D³t³v h³vq | c³mb KYv kxZj ų³ž³ c³lek K³ti | c³q -20[°]c ZvcgŪvi K³v³Q³v³K³w³Q t³M³tj c³mb KYv Rtg ei³td cwiYZ nq | Ges P³ri c³vt³ki c³mb KYv w³t³q Rtg etj ų³ž³ Av³qZb te³to h³vq ų³ž³ te³to h³evi dtj NYxfZ i¹¼ i¹¼ w³K³Q³evqy Ave³ K³ti t³dtj Ges t³M³v t³Ki Av³K³vi avi Y K³ti | c³ti Aw³f³KI³ų³ Z³i t³Yi dtj w³t³Pi w³t³K t³bt³q Av³t³m G³t³K ikjv etj |

D`niY

1 | tKvb v³tb tKvb GK³v³ b evqy ZvcgŪv 18[°]c I i¹¼ i¹¼ 10[°]c | 18[°]c I 10[°]c ZvcgŪvq m³ú³ ev[®]úP³vc h³v³μ³t³g 15.48 × 10⁻³ m I 9.21 × 10⁻³ m c³vi ` | H w³ t³bi Av³t³c³v³ų³K Av³Š³v KZ? mg³v³av³ t

Av³g³i v R³mb,

$$Av³t³c³v³ų³K Av³Š³v, R = \frac{f}{F} \times 100\%$$

$$GL³v³tb, f = i¹¼ i¹¼ m³ú³ ev[®]úP³vc = 9.2 \times 10^{-3} m c³vi `$$

$$F = evqy ZvcgŪvq m³ú³ ev[®]úP³vc = 15.48 \times 10^{-3} m c³vi `$$

$$AZGe, Av³t³c³v³ų³K Av³Š³v, R = \frac{9.2 \times 10^{-3}}{15.48 \times 10^{-3}} \times 100\% = 59.43\%$$

2/ evqjy ZvcgvÎv 28°C Ges AvtciŋK Av`Zv 60% | 28°C ZvcgvÎv cvi` m`ú,³ Rj xq ev`ú Pvc = 28.35 × 10⁻³ m cvi` | evqjy Rj xq ev`ú Pvc KZ?

mgvavb t

GLv`tb evqjy ZvcgvÎvq A_ŋ 28° C ZvcgvÎvq m`ú,³ Rj xq ev`ú Pvc,

$$F = 28.35 \times 10^{-3} \text{ m cvi`}$$

$$\text{AvtciŋK Av`Zv} = 60\% = \frac{60}{100}$$

evqjy ZvcgvÎvq ev`ú Pvc = ikiki v`¼ ev`ú Pvc = f = ?

$$\text{Avgiv Rvb, AvtciŋK Av`Zv, R} = \frac{f}{F}$$

$$\text{ev, f} = R \times F = \frac{60}{100} \times 28.35 \times 10^{-3}$$

$$= 17.01 \times 10^{-3} \text{ m cvi`}$$

3/ tKvb `v`tb tKvb GKv`tb ikiki v`¼ 8.5° C Ges evqjy ZvcgvÎv 20.5° C | AvtciŋK Av`Zv v`Yŋ Ki | [8° C, 9° C, 20° C, 21° C ZvcgvÎvq m`ú,³ Rj xq ev`ú Pvc h_v`m`tg 8.05 × 10⁻³ m , 8.63 × 10⁻³ m , 15.48 × 10⁻³ m | 16.51 × 10⁻³ m cvi`]|

mgvavb t

8° C ZvcgvÎvi ci (9-8) = 1° C ZvcgvÎv ev`x i Rb` m`ú,³ Rj xq ev`ú Pvc ev`x

$$= (8.63 - 8.05) \times 10^{-3} = 0.58 \times 10^{-3} \text{ m}$$

∴ (8.5 - 8) = 0.5° C ZvcgvÎv ev`x i Rb` m`ú,³ Rj xq ev`ú Pvc ev`x,

$$= 0.58 \times 10^{-3} \times 0.5 = 0.29 \times 10^{-3} \text{ m cvi` |}$$

∴ ikiki v`¼ (8.5°) m`ú,³ Rj xq ev`ú Pvc, f = (8.05 + 0.29) × 10⁻³ = 8.34° 10⁻³ m cvi`

Avevi, 20° C ZvcgvÎvi ci (21-20)° C = 1° C ev`x i Rb` m`ú,³ Rj xq ev`ú Pvc ev`x

$$= (16.51 - 15.48) \times 10^{-3} \text{ m} = 1.03 \times 10^{-3} \text{ m}$$

∴ (20.5 - 20) = 0.5° C ev`x i Rb` m`ú,³ Rj xq ev`ú Pvc ev`x = 0.515 × 10⁻³ m cvi`

∴ evqjy ZvcgvÎvq (20.5° C) m`ú,³ Rj xq ev`ú Pvc, F = (15.48 + 0.515) × 10⁻³ = 15.995 m cvi`

Avgiv Rvb, AvtciŋK Av`Zv, R = $\frac{f}{F} \times 100\%$

$$= \frac{8.34 \times 10^{-3}}{15.995 \times 10^{-3}} \times 100\% = 52.14\%$$

4/ GKWU ubw` e mgta i`e I Av` eij &nvBtMÁgUvti i` vj` vtgÁgUvti i` ZvcgvÁv h`vµtg 25° C I 20° C | H mgta AvtciÁK Av` Zv KZ? [25° C ZvcgvÁvq mÁú, evÁPvc = 23.80 × 10⁻³ m cvi` I 16.5° C ZvcgvÁvq mÁú, evÁPvc = 14.09 × 10⁻³ m cvi`]

mgvaib t

Avgin Rwb, tÁisÁt i` mÁvbyvti,

$$(\theta_1 - \theta) = G(\theta_1 - \theta_2)$$

$$\text{Glvtb, } \theta_1 = 25^\circ \text{ C}$$

$$\theta_2 = 20^\circ \text{ C}$$

$$\theta = \text{ÁkÁkiv} \frac{1}{4}$$

tÁisÁt i` DrcvtKi Zwj Kv t`tK 25° C ZvcgvÁvq, G = 1.70

$$\therefore (25 - \theta) = 1.70(25 - 20)$$

$$\text{ev, } 25 - \theta = 8.5$$

$$\text{ev, } \theta = 16.5^\circ \text{ C}$$

$$\text{AvtciÁK Av` Zv, } R = \frac{f}{F} \times 100\%$$

$$\text{Glvtb, } f = 16.5^\circ \text{ C ZvcgvÁvq mÁú, evÁPvc} = 14.09 \times 10^{-3} \text{ m Pvc}$$

$$F = 25^\circ \text{ C ZvcgvÁvq mÁú, evÁPvc} = 23.80 \times 10^{-3} \text{ m cvi` }$$

$$\therefore \text{AvtciÁK Av` Zv, } R = \frac{14.09}{23.80} \times 100\% = 59.20\%$$

mvi mstÁc

Av` ZvgvZ t c`v` eÁvtbi th kvLvq evqgÚtj Rjxq evtÁúí cviÁvY mÁtÚ AvtjvPbv Kiv nq Ges tKvb ubw` e AvqZtbi evqÁZ Aew`Z Rjxq evtÁúí cviÁvY ÁvYÁ c×ÁZ eYÁv Kiv nq, ZvtK Av` ZvgvZ ejv nq|

AvtciÁK Av` Zv t tKvb mgta ubw` e ZvcgvÁvq ubw` e AvqZtbi evqÁZ Dciv`Z Rjxq evtÁúí fi I GKB ZvcgvÁvq GKB AvqZtbi evqÁK mÁú, ÁtZ cÁqvRbxq Rjxq evtÁúí ftii ÁvgvZtK H`vtbi AvtciÁK Av` Zv etj |

ctVvEi gj'vqb

K. %beP3K cktat mWk DEti i ctR Wk WPy (v) w b|

1/ wkiki v1/4 ej tZ Wk eSvq ?

(K) evqy Z Rj xq evt'ui cwi giv

(L) Rj xq evt'ui ZvcgvTiv

(M) Am'3 Rj xq evt'ui ZvcgvTiv

(N) th ZvcgvTivq evqy Z Rj xq ev'3 m'3 nq

2/ Xiv Kv AtcTiv K. evRvti tenk A^-t-eva nI qvi Kvi Y Wk?

(K) Xiv Kv K. evRvi AtcTiv ZvcgvTiv tenk |

(L) K. evRvti Xiv Kv AtcTiv ZvcgvTiv tenk |

(M) K. evRvti Xiv Kv AtcTiv AvtcvTiv Av`Zv tenk |

(N) Xiv Kv K. evRvi AtcTiv AvtcvTiv Av`Zv tenk |

3/ AvtcvTiv Av`Zv vbtPi tKvb m'uK t_tK vbyq Kiv hvte ?

$$(K) AvtcvTiv Av`Zv = \frac{wkiki v1/4 m'3 Rj xq ev'Pvc}{evqy ZvcgvTivq m'3 Rj xq ev'Pvc}$$

$$(L) AvtcvTiv Av`Zv = \frac{evqy ZvcgvTivq m'3 Rj xq ev'Pvc}{wkiki v1/4 m'3 Rj xq ev'Pvc}$$

$$(M) AvtcvTiv Av`Zv = evqy ZvcgvTivq m'3 Rj xq ev'Pvc - wkiki v1/4 m'3 Rj xq ev'Pvc$$

$$(N) AvtcvTiv Av`Zv = wkiki v1/4 m'3 Rj xq ev'Pvc + evqy ZvcgvTivq m'3 Rj xq ev'Pvc$$

L. msTivB cktce

1/ AvtcvTiv Av`Zvi msAv vj L|

2/ GKB ZvcgvTivq Xiv Kv AtcTiv K. evRvti tenk A^-t-eva nq tKb?

iPbvj-K cĕœ

- 1/ M'vĕmi mĕ_ wj wj Lĕ | eYĖn Ki"b|
- 2/ M'vĕmi Pvc, AvqZb I ZvcgvĪvi gĕa" mĕúK^œvcb Ki"b|
- 3/ Av`k⁹M'vm mgxKi YPV = RT cĀZcv`b Ki"b|
- 4/ M'vĕmi MwZZĕĕji tgšwj K`xKivh^œwj wj Lĕ|
- 5/ AvYueK telM e)Ub mĕ_ wj eYĖn Ki"b|
- 6/ MwZZĕĕj Abvĕti M'vĕmi Pvc I AYj Mo eMĕĕMi mĕúK^œcĀZcv`b Ki"b|
- 7/ MwZZĕĕj Abvĕti M'vm AYj gj- Mo eMĕĕMi mĕ_ ZvcgvĪvi mĕúK^œcĀZcv`b Ki"b|
- 8/ M'vĕmi MwZZĕĕj Abvĕti ZvcgvĪvi e`vL`v cĀvb Ki"b|
- 9/ (K) mĕú³ ev^œúPvc I wkwkivĕĕi msÁv wj Lĕ|
 (L) mĕú³ I Amĕú³ ev^œúPvĕci gĕa" cv`R`_ wj wj Lĕ|

MwvZK cke

- 1/ w-i ZvcgvTiq $1.5 \times 10^5 \text{ N m}^{-2}$ Ptc ubi 0 KQyM'itmi AvqZb 0.003 m^3 ; $5 \times 10^5 \text{ N m}^{-2}$ Ptc M'vmlUi AvqZb KZ?
- 2/ w-i ZvcgvTiq 10^5 N m^{-2} Ptc ubi 0 fti i KQyM'itmi AvqZb 0.005 m^3 $5 \times 10^5 \text{ N m}^{-2}$ Ptc M'vmlUi AvqZb KZ?
- 3/ w-i Ptc 27°C ZvcgvTivi 200 m^3 AvqZtbi M'vmtK 327°C ZvcgvTiq DEB Kiv ntjv/ M'vmlUi AvqZb KZ nte?
- 4/ 27°C ZvcgvTiq 4g bvtUtRtbi tgvU MwZkw³ KZ?
- 5/ 27°C ZvcgvTiq Av tRtbi gj- Mo eMfeM KZ?
- 6/ tKvb tbt tKvb GKw b evqj ZvcgvTiv 18°C I kwkiv 12°C ; 18°C I 12°C ZvcgvTiq m³ev³er³uPvc h_vμtg $15.48 \times 10^{-3} \text{ m}$ I $10.52 \times 10^{-3} \text{ m}$ cvi | H w tbi AvtcwK Av`Zv KZ?
- 7/ evqj ZvcgvTiv 32°C Ges AvtcwK Av`Zv 55% ; 32°C ZvcgvTiq m³ev³Rj xq ev³er³uPvc $35.66 \times 10^{-3} \text{ m}$ cvi | evqj Rj xq ev³er³uPvc KZ?
- 8/ tKvb ubi 0 mgtq i³ I Av`ej e nvtMogUvti i `v_vgtgUvti i ZvcgvTiv h_vμtg 24°C I 18°C ; H mgtq AvtcwK Av`Zv KZ? [24°C ZvcgvTiq m³ev³er³uPvc = $22.38 \times 10^{-3} \text{ m}$ cvi ; 13.68°C ZvcgvTiq m³ev³er³uPvc = 11.62 m cvi |]